# Department of Mathematics and Statistics <br> MCQs Bank of entry test for the Mphil (Mathematics) 



| 8) | $\int \ln x d x=$ |  | D |
| :---: | :---: | :---: | :---: |
|  | A. $\frac{1}{x}$ | B. $\frac{1}{\ln x}$ |  |
|  | C. $x \ln x+x+C$ | D. none of these |  |
| 9) | $\int \frac{1}{\sqrt{a^{2}-x^{2}}} d x=C+f, f=$ |  | C |
|  | A. $\cos ^{-1}\left(\frac{x}{a}\right)$ | B. $\left\lvert\, \frac{1}{a} \sin ^{-1}\left(\frac{x}{a}\right)\right.$ |  |
|  | $\text { C. } \sin ^{-1}\left(\frac{x}{a}\right)$ | D. none of these |  |
| 10) | If $y=\frac{x^{2}}{1+x}, \frac{d y}{d x}=$ |  | C |
|  | A. $\frac{\frac{x^{2}-2 x}{(x+1)^{2}}}{}$ | B. $x-1+\frac{1}{x+1}$ |  |
|  | C. $\frac{x^{2}+2 x}{(x+1)^{2}}$ | D. none of these |  |
| 11) | $\int_{0}^{3} \frac{1}{\sqrt{4-t}} d t=$ |  | A |
|  | $\begin{array}{l\|l} \hline \text { A. } & 2 \\ \hline \text { C. } & 1 \end{array}$ | $\text { B. } 0$ |  |
|  |  | D. none of these |  |
| 12) | $\int_{-1}^{0} \sqrt{3 u+4} d u=$ |  | A |
|  | A. $\frac{14}{9}$ | B. $-\frac{14}{9}$ |  |
|  | C. $\frac{14}{3}$ | D. none of these |  |
| 13) | $\int_{0}^{1} e^{-x} d x=$ |  | C |
|  | $\text { A. } 1+\frac{1}{e}$ | B. 0 |  |
|  | C. $1-\frac{1}{e}$ | D. none of these |  |
| 14) | $\int_{0}^{\pi} \cos ^{2} \theta \sin \theta d \theta=$ |  | A |
|  | A. $\frac{2}{3}$ | B. $-\frac{2}{3}$ |  |
|  | C. 0 | D. none of these |  |
|  | $\int_{1}^{e} \frac{\ln x}{x} d x=$ |  | D |


22) If $D$ is the region above the $x$-axis and within a circle centered at the origin of radius 2 ,
$\iint_{D}\left(x^{2}+y^{2}\right) d x d y=$
A. $2 \pi$
B. $\pi$
C. $4 \pi$
D. none of these
23)
$\lim \frac{4-x^{2}}{x^{2}-1}=$
A. 1
B. 1
C. $\infty$
D. none of these
24) $\lim _{x \rightarrow 0} \frac{x}{x}=$
A. 0
B. -3
C. undefined
D. none of these
25) $\lim _{x \rightarrow 2} \frac{x^{3}-8}{x^{2}-4}=$
A. 1
B. -3
C. 0
D. none of these
26) $\frac{5 x-4}{x^{2}-x-2}=$

| A. | $\frac{2}{x-2}-\frac{3}{x+1}$ |
| :--- | :--- |
| C. | $\frac{2}{x+2}+\frac{3}{x-1}$ |

B. $-\frac{2}{x-2}+\frac{3}{x+1}$
D. none of these
D.
27) If $\frac{3 x+11}{x^{2}-x-6}=\frac{A}{x-3}+\frac{B}{x+2}, A=$
A. 4
B. -1
C. -4
D. none of these
28) If $\frac{3 x+11}{x^{2}-x-6}=\frac{A}{x-3}+\frac{B}{x+2}, B=$
A. 1
B. -4
C. -1
D. none of these
29) If derivative of $f(x)+C$ is $-\frac{1}{x^{2}}, f(x)=$

| A. | $\frac{1}{x}$ |
| :--- | :--- |
| C. | $-\ln x^{2}$ |

B. $-\frac{1}{x}$
D. none of these
30) Derivative of $2^{-x}$ with respect to $x$, is
$\rightarrow \infty x^{2}-1$
$x_{x} x^{2}-4$


| 39) | $\int_{1}^{2} \frac{3 x-1}{3 x} d x=$ |  | C |
| :---: | :---: | :---: | :---: |
|  | A. $1-\frac{\ln 3}{2}$ | B. $1+\frac{\ln 2}{3}$ |  |
|  | C. $1-\frac{\ln 2}{3}$ | D. none of these |  |
| 40) | $\int_{0}^{3} \frac{1}{\sqrt{4+t}} d t=$ |  | D |
|  | A. 1 | B. 0 |  |
|  | C. -2 | D. none of these |  |
| 41) | $\int_{-1}^{0} \sqrt{3 u+4} d u=$ |  | C |
|  | A. $\frac{14}{3}$ | B. $-\frac{14}{9}$ |  |
|  | $\text { C. } \frac{14}{9}$ | D. none of these |  |
| 42) | $\int_{0}^{\sqrt{3}} \frac{x}{\sqrt{4-x^{2}}} d x=$ |  | B |
|  | A. -1 | B. 1 |  |
|  | C. 0 | D. none of these |  |
| 43) | $\int_{0}^{1}(2 t-1)^{3} d t=$ |  | B |
|  | A. -1 | B. 0 |  |
|  | C. 1 | D. none of these |  |
| 44) | $\int_{4}^{9} \frac{2+x}{2 \sqrt{x}} d x=$ |  | A |
|  | A. $\frac{25}{3}$ | B. $\frac{5}{3}$ |  |
|  | $\text { C. } \frac{25}{9}$ | D. none of these |  |
| 45) | $\int_{-3}^{3} \frac{1}{9+x^{2}} d x=$ |  | C |
|  | A. $-\frac{\pi}{6}$ | B. 0 |  |
|  | $\text { C. } \left\lvert\, \frac{\pi}{6}\right.$ | D. none of these |  |
| 46) | $\int_{0}^{1} e^{-x} d x=$ |  | D |
|  | A. 0 | B. -1 |  |
|  | C. 1 | D. none of these |  |







110) If $x_{0}$ is an element of a metric space $(X, d)$ and $r>0,\left\{x \in X: d\left(x, x_{0}\right) \neq r\right\}=$
A. $X-B\left(x_{0} ; r\right)$
B. $X-\bar{B}\left(x_{0} ; r\right)$
C. $X \cup S\left(x_{0} ; r\right)$
D. none of these
111)

The limit of the sequence $\left(\frac{n^{2}-3 n+1}{2 n^{2}+3 n-1}\right)_{n=1}^{\infty}$ is

| A. | $\frac{-1}{2}$ |
| :---: | :---: |
| C. | -1 |

B. 0
D. none of these
112) If a relation $f$ is such that $a=b \Rightarrow f(a)=f(b)$ then $f$ is
A. a function
B. onto
C. one to one
D. none of these
113) If a function $f$ is such that $f(a)=f(b) \Rightarrow a=b$ then $f$ is
A. a function
B. onto
C. one to one
D. none of these
114) If $f: A \rightarrow B$ is a function, $\operatorname{Dom}(f)$
A. $=A$
B. $\subset A$
C. $\supset A$
D. none of these
115) If $f: A \rightarrow B$ is a function, Range $(f)$
A. $=B$
B. $\subseteq B$
C. $\subseteq A$
D. none of these
116) If $f: A \rightarrow B$ is a function and $a \neq b \Rightarrow f(a) \neq f(b), f$ is
A. one to one
B. onto
C. bijection
D. none of these
117) If $f: A \rightarrow B$ is a function such that different elements of $A$ have different images in $B, f$ is said to be
A. bijection
B. onto
C. one to one
D. none of these
118) If $f: A \rightarrow B$ is a function such that $\operatorname{Range}(f) \subset B, f$ is said to be
A. into
B. onto
C. bijection
D. none of these
119) If $f: A \rightarrow B$ is a function such that $\operatorname{Range}(f)=B, f$ is said to be
A. into
B. onto
C. bijection
D. none of these
120)

If $f: A \rightarrow B$ is a function and such that $A_{1} \subseteq A$, the function $f_{1}: A_{1} \rightarrow B$ defined by
$f_{1}(a)=f(a)$ for all $a \in A_{1}$, is called
A. extension of $f$ on $A_{1}$
B. subset of $A$
C. restriction of $f$ on $A_{1}$
D. none of these
121) For two non-empty sets $A$ and $B$, the set $\{(a, b): a \in A, b \in B\}$ is called Cartesian product of
A. $A$ and $B$
B. $B$ and $A$
C. $A B$
D. none of these
122) For two non-empty sets $A$ and $B$, the Cartesian product of $A$ and $B$ is denoted by
A. $A B$
B. $B \times A$
C. $A \times B$
D. none of these
123) If $A \times B$ is the Cartesian product of $A$ and $B,|A \times B|$ is
A. $>|A| B \mid$
B. $=|A| B \mid$
C. $<|A| B \mid$
D. none of these
124) $\sum_{k=0}^{n}\binom{n}{k}=$
A. $2^{-n}$
B. $2^{n}$
C. $2 n$
D. none of these
125) Integral of $e^{x^{2}}$ w.r.t. $x$, is

| A. | $\frac{e^{x^{2}}}{2 x}$ |
| :--- | :--- |
| C. | $x^{2} e^{x^{2}-1}$ |

B. $2 x e^{x^{2}}$
D. none of these

| 126) An infinite series |  |
| :--- | :--- |
| A. is convergent B. may converge <br> C. is divergent D. none of these |  |

127) An infinite sequence
B. may converge

|  | A. is divergent |
| :--- | :--- |
| C. is convergent |  |
| 128) | If $a<b, \frac{a+b}{2}$ is |

A. lesser than $a$
B. greater than $b$
C. equal to $a b$
D. none of these
129) A decreasing sequence
A. is divergent
B. may diverge
C. is convergent
D. none of these
130) If $a<b, a^{2}+b^{2}$ is
A. lesser than $2 a b$
B. greater than $2 a b$

A. $\geq \inf (B)$
B. $\leq \inf (B)$
C. $=\inf (B)$
D. none of these
141) If $A$ and $B$ are two sets such that $A \subseteq B, \operatorname{Sup}(A)$ is
A. $\leq \operatorname{Sup}(B)$
B. $\geq \operatorname{Sup}(B)$
C. $=\operatorname{Sup}(B)$
D. none of these
142) If $A$ and $B$ are two sets such that $A \subseteq B, \operatorname{Sup}(A)$ is
A. finite
B. infinite
C. 0
D. none of these
143) Which of the followings is not true
A. $Z \subset Q$
B. $Q \subset R$
C. $W \subset Z$
D. none of these
144) Domain of the function $f(x)=\frac{1}{\sqrt{4-x^{2}}}$, is the set
A. $[-2,2]$
B. $]-2,2[$
C. $\{2,-2\}$
D. none of these
145)

If $f(x)=\frac{x}{2}-3, f^{-1}(x)=$
A. $\frac{2}{x-6}$
B. $2 x-6$
C. $2 x+6$
D. none of these
146) If $x=10^{y}, y=$

| A. | $\frac{1}{\ln (10)}$ |
| :--- | :--- |

B. $\frac{1}{\ln (x)}$
C. $e$
D. none of these
147) If $|x-3|=3-x$,
A. $x>3$
B. $x=3$
C. $x-3=0$
D. none of these
148) $\ln x$ is undefined for
A. $x>0$
B. $x=10$
C. $x=e$
D. none of these
149) The real line $R$ is a metric space under the metric $d_{0}: R \times R \rightarrow R$ defined as $d_{0}(x, y)=$
A. $|x+y|$
B. $|x-y|$
C. $|x-2 y|$
D. none of these


168) $f$ is said to be increasing function on $] a, b\left[\right.$ if for $\left.x_{1}, x_{2} \in\right] a, b[$
A. $f\left(x_{2}\right)>f\left(x_{1}\right)$ whenever $x_{2}>x_{1}$
B. $f\left(x_{2}\right)>f\left(x_{1}\right)$ whenever $x_{2}<x_{1}$
C. $f\left(x_{2}\right)<f\left(x_{1}\right)$ whenever $x_{2}>x_{1}$
D. none of these
169) $f$ is said to be decreasing function on $] a, b\left[\right.$ if for $\left.x_{1}, x_{2} \in\right] a, b[$
A. $f\left(x_{2}\right)>f\left(x_{1}\right)$ whenever $x_{2}>x_{1}$
B. $f\left(x_{2}\right)>f\left(x_{1}\right)$ whenever $x_{2}<x_{1}$
C. $f\left(x_{2}\right)<f\left(x_{1}\right)$ whenever $x_{2}>x_{1}$
D. none of these
170) A point where first derivative of a function is zero, is called
A. Stationary point
B. Corner point
C. Point of concurrency
D. none of these
171) $f(x)=\sin x$ is
A. An even function
B. A linear function
C. An odd function
D. none of these
172) The maximum value of the function $f(x)=x^{2}-x-2$ is
A. $\frac{9}{4}$

- $\frac{9}{4}$
B. $-\frac{9}{4}$
C. $\frac{9}{2}$
D. none of these
D.

173) $\frac{d}{d x}(\cos x)-\frac{d^{2}}{d x^{2}}(\sin x)=$
A. 0
B. $2 \sin x$
C. $2 \cos x$
D. none of these

| $174)$ | If $f(x)=x^{3}+2 x+9, f^{\prime \prime}(x)=$ | C |
| :--- | :---: | :---: |

A. 0
B. $3 x^{2}$
C. $6 x$
D. none of these
175) $\frac{d}{d x}\left(\sqrt{x}-\frac{1}{\sqrt{x}}\right)^{2}=$

| A. | $1+\frac{1}{x^{2}}$ |
| :--- | :--- |
| C. | $\sqrt{1-\frac{1}{x^{2}}}$ |

B. $1-\frac{1}{x^{2}}$
D. none of these
176) At $x=0$, the function $f(x)=1-x^{3}$ has
A. Maximum value
B. Minimum value
C. Point of inflection
D. none of these
177) If $y=\sin \sqrt{x}, y^{\prime}=$




|  | A. | $\log \left\|1+\tan \frac{(x+y)}{2}\right\|=y+c$ | B. | . $\log \left\|2+\sec \frac{(x+y)}{2}\right\|=x+c$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | C. | $\log \|1+\tan (x+y)\|=y+c$ |  | . none of these |  |
| 196) | If $y=a \cos (\log x)+b \sin (\log x)$, then |  |  |  | B |
|  |  | $x^{2} \frac{d^{2} y}{d x^{2}}+x \frac{d y}{d x}+y=0$ | B. | $x^{2} \frac{d^{2} y}{d x^{2}}-x \frac{d y}{d x}+y=0$ |  |
|  |  | $x^{2} \frac{d^{2} y}{d x^{2}}+x \frac{d y}{d x}-y=0$ | D. none of these |  |  |
| 197) | If $y=\sin \left(a \sin ^{-1} x\right)$, then |  |  |  | A |
|  |  | $\left(1-x^{2}\right) \frac{d^{2} y}{d x^{2}}-x \frac{d y}{d x}+a^{2} y=0$ | B. | (1-x $\left.x^{2}\right) \frac{d^{2} y}{d x^{2}}+x \frac{d y}{d x}-a^{2} y=0$ |  |
|  |  | $\left(1-x^{2}\right) \frac{d^{2} y}{d x^{2}}-x \frac{d y}{d x}-a^{2} y=0$ | D. none of these |  |  |
| 198) | The DE of the family of curves $y^{2}=4 a(x+$ is |  |  |  | B |
|  | A. | $y^{2}=4 \frac{d y}{d x}\left(x+\frac{d y}{d x}\right)$ | B. | $y^{2}\left(\frac{d y}{d x}\right)^{2}+2 x y \frac{d y}{d x}-y^{2}=0$ |  |
|  | C. | $y^{2} \frac{d y}{d x}+4 y=0$ | D. none of these |  |  |
| 199) | Inverse derivative of $\sin \mathrm{x}$ is: |  |  |  | A |
|  | A. | $\frac{1}{\sqrt{1-x^{2}}}$ | B. | $\frac{1}{\sqrt{1+x^{2}}}$ |  |
|  | C. | $\frac{-1}{\sqrt{1-x^{2}}}$ | D. none of these |  |  |
| 200) | Inverse derivative of $\cos x$ is: |  |  |  | C |
|  | A. | $\frac{1}{\sqrt{1-x^{2}}}$ |  | . $\frac{1}{\sqrt{1+x^{2}}}$ |  |

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|  | C. | $\frac{-1}{\sqrt{1-x^{2}}}$ |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 201) | If $y=\tan ^{-1} x^{3 / 2}$, then $\frac{d y}{d x}=$ |  |  | A |
|  | A. | $\frac{3 \sqrt{x}}{2\left(1+x^{3}\right)}$ | B. |  |
|  | C | $\frac{3 \sqrt{x}}{2\left(1-x^{3}\right)}$ | D. none of these |  |
|  | The equation of the curves, satisfying the $\operatorname{DE} \frac{d^{2} y}{d x^{2}}\left(x^{2}+1\right)=2 x \frac{d y}{d x}$ passing through the point $(0,1)$ and having the slope of tangent at $x=0$ as 6 is |  |  | B |
|  | A. | $y^{2}=2 x^{3}+6 x+1$ | B. |  |
|  | C. | $y^{2}=x^{3}+6 x+1$ | D. none of these |  |
|  | A particle, initially at origin moves along x -axis according to the rule $\frac{d x}{d t}=x+4$. The time taken by the particle to traverse a distance of 96 units is: |  |  | C |
|  | A. | $\ln 5$ | B. |  |
|  | C. |  | D. none of these |  |
| 204) | If $y=\cos ^{-1}(\ln x)$, then the value of $\frac{d y}{d x}$ is |  |  | B |
|  | A. | $\frac{1}{x \sqrt{1-(\ln x)^{2}}}$ | B. |  |
|  | C. | $\frac{-1}{x \sqrt{1+(\ln x)^{2}}}$ | D. none of these |  |

205) If $x=2 \ln \cot (t)$ and $y=\tan (t)+\cot (t)$, the value of $\frac{d y}{d x}$ is

| A. | $\cot (2 t)$ | B. | $\tan (2 t)$ |
| :--- | :--- | :--- | :--- |
| C. | $\cos (2 t)$ | D. none of these |  |

206) Solution of the $\mathrm{DE} \ln \left(\frac{d y}{d x}\right)=a x+b y$ is

| A. $\quad-\frac{1}{b} e^{-b y}=\frac{1}{a} e^{a x}+c$ |
| :--- | :--- |

B. $\frac{1}{b} e^{-b y}=\frac{1}{a} e^{a x}+c$
C. $\quad \frac{1}{b} e^{-b y}=-\frac{1}{a} e^{a x}+c$
D. none of these
207) If the general solution of a differential equation is $(y+c)^{2}=c x$, where $c$ is an arbitrary constant, then the order and degree of differential equation is

| A. | 1,2 |
| :--- | :--- |
| C. | 1,3 |

B. 2,1
D. none of these
208) Solution of $\left(x^{2} \sin ^{3} y-y^{2} \cos x\right) d x+\left(x^{3} \cos y \sin ^{2} y-2 y \sin x\right) d y=0$ is

| A. | $\left(x^{3} \sin ^{3} y / 3\right)=c$ |
| :--- | :---: |
| C. | $\left(x^{3} \sin ^{3} y / 3\right)=y^{2} \sin x+c$ |

B. $\quad x^{3} \sin ^{3} y=y^{2} \sin x+c$
D. none of these
209) Solution of $\frac{x d y}{x^{2}+y^{2}}=\left(\frac{y}{x^{2}+y^{2}}-1\right) \mathrm{dx}$ is
A. $\quad x-\tan ^{-1} \frac{y}{x}$
B.
$\tan ^{-1} \frac{y}{x}=c$
C.

$$
x \tan ^{-1} \frac{y}{x}=c
$$

D. none of these
210) Solution of $\left(y+x^{\sqrt{x y}}(x+y)\right) d x+\left(y^{\sqrt{x y}}(x+y)-x\right) d y=0$ is
A.

$$
x^{2}+y^{2}=2 \tan ^{-1} \sqrt{\frac{y}{x}+c}
$$

B.
$x^{2}+y^{2}=4 \tan ^{-1} \sqrt{\frac{y}{x}+c}$

|  | C. | $x^{2}+y^{2}=\tan ^{-1} \sqrt{\frac{y}{x}+c}$ |  | none of these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 211) | Solution of the $\mathrm{DE} \frac{d y}{d x}+2 x y=y$ is |  |  |  | A |
|  | A. | $y=c e^{x-x^{2}}$ | B. | $y=c e^{x^{2}}-x$ |  |
|  | C. | $y=c e^{x}$ |  | none of these |  |
| 212) | Solution of the differential equation $\frac{d y}{d x}=\sin (x+y)+\cos (x+y)$, is |  |  |  | D |
|  | A. | $\log \left\|1+\tan \frac{(x+y)}{2}\right\|=y+c$ |  | $\log \left\|2+\sec \frac{(x+y)}{2}\right\|=x+c$ |  |
|  | C. | $\log \|1+\tan (x+y)\|=y+c$ | D. n | none of these |  |
| 213) | The Blasius equation $\frac{d^{3} f}{d \eta^{3}}+\frac{f}{2} \frac{d^{2} f}{d \eta^{2}}=0$ is a |  |  |  | B |
|  | A. | Second order non linear differential equation |  | Third order non linear ordinary differential equation |  |
|  | C. | Third order linear ordinary differential equation |  | none of these |  |
| 214) | The general solution of $\mathrm{DE} \frac{d y}{d x}=\cos (x+y)$ with c as a constant is |  |  |  | D |
|  | A. | $y+\sin (x+y)=x+c$ |  | $\tan \left(\frac{x+y}{2}\right)=y+c$ |  |
|  | C. | $\cos \left(\frac{x+y}{2}\right)=x+c$ |  | none of these |  |
| 215) | The solution of the initial value problem $\frac{d y}{d x}=-2 x y ; y(0)=2$ is |  |  |  | B |
|  | A. | $1+e^{-x^{2}}$ | B. | $2 e^{-x^{2}}$ |  |


|  | C. | $1+e^{x^{2}}$ | D. | these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 216) | The solution of ODE $\frac{d^{2} y}{d x^{2}}+\frac{d y}{d x}-6 y=0$ is |  |  |  | A |
|  | A. | $y=c_{1} e^{-3 x}+c_{2} e^{2 x}$ | B. | $y=c_{1} e^{3 x}+c_{2} e^{2 x}$ |  |
|  | C. | $y=c_{1} e^{3 x}+c_{2} e^{-2 x}$ | D. none of these |  |  |
| 217) | The solution for the differential equation $\frac{d y}{d x}=x^{2} y$ with two condition that $y=1$ at $x=0$ |  |  |  | C |
|  | A. | $2 e^{\frac{x^{2}}{2}}$ | B. | $3 e^{\frac{x}{2}}$ |  |
|  | C. | $e^{\frac{x^{2}}{2}}$ | D. none of these |  |  |
|  | The solution of $\frac{d y}{d x}=-\frac{x}{y}$ with initial condition $y(1)=\sqrt{3}$ is |  |  |  | C |
|  | A. | $x^{3}+y^{3}=4$ | B. | $y=4 a x$ |  |
|  | C. | $x^{2}+y^{2}=4$ | D. none of these |  |  |
|  | Which of these is the solution of differential equation $\frac{d x}{d t}+3 x=0$ |  |  |  | A |
|  | A. | $2 e^{-3 t}$ | B. | $e^{-3 t}$ |  |
|  | C. | $2 e^{2 t}$ | D. none of these |  |  |
|  | The general solution of $\mathrm{DE} \frac{d y}{d x}=\frac{y}{x}$ is |  |  |  | B |
|  | A. | $\log y=k x$ | B. | $y=k x$ |  |
|  | C. | $y=\frac{k}{x}$ | D. | these |  |


| 221) | Integrating factor of $\mathrm{DE} \cos \frac{d y}{d x}+y \sin x=1$ is |  |  |  | B |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | A. | $\sin x$ | B. | $\sec x$ |  |
|  | C. | $\tan x$ | D. none of these |  |  |
| 222) | If $2 x y d x+P(x, y) d y=0$ is exact then $P(x, y)$ is |  |  |  | D |
|  | A. | $x-y$ | B. | $x+y$ |  |
|  | C. | $x-y^{2}$ | D. none of these |  |  |
| 223) | A differential equation of first degree |  |  |  | B |
|  | A | Is of first order | B. | May or may not be linear |  |
|  | C. | Is always linear | D. none of these |  |  |
| 224) | A general solution of an $n^{\text {th }}$ order differential equation contains |  |  |  | B |
|  | A. | $n-1$ arbitrary constants | B. | $n$ arbitrary constants |  |
|  | C. | $n+1$ arbitrary constants | D. none of these |  |  |
| 225) | The differential equation $M d x+N d y=0$ is defined as an exact differential equation of |  |  |  | D |
|  | $\mathrm{A} .$ | $\frac{\partial M}{\partial x}=\frac{\partial N}{\partial y}$ | B. | $\frac{\partial M}{\partial y} \neq \frac{\partial N}{\partial x}$ |  |
|  |  | $\frac{\partial M}{\partial y}=-\frac{\partial N}{\partial x}$ | D. none of these |  |  |
| 226) | The order of the differential equation $\frac{\partial^{2} y}{\partial x^{2}}+y^{2}=x+e^{x}$ is |  |  |  | A |
|  | A. 2 |  | B. |  |  |
|  | C. 0 |  | D. | these |  |
| 227) | ''Infinitely many differential equation have the same integrating factor''. This statement is |  |  |  | C |






257) The partial differential equation $x y \frac{\partial z}{\partial x}=5 \frac{\partial^{2} z}{\partial y^{2}}$ is
A. Elliptic
B. Parabolic
C. Hyperbolic
D. none of these
258) The following is true for the following partial differential equation under non linear mechanics known as the Kortewege-de-vfies equation $\frac{\partial w}{\partial t}+\frac{\partial^{3} w}{\partial x^{3}}-6 w \frac{\partial w}{\partial x}=0$
A. Linear, $3^{\text {rd }}$ order
B. Non-linear $3^{\text {rd }}$ order
C. Linear first order
D. none of these
259) Solve $\frac{\partial u}{\partial x}=6 \frac{\partial u}{\partial t}+u$ using separation method of variable if $u(x, 0)=10 e^{-x}, u=$
A. $10 e^{-x} e^{-\frac{t}{3}}$
B. $10 e^{x} e^{-\frac{t}{3}}$
C. $10 e^{\frac{x}{3}} e^{-t}$
D. none of these
260) While solving the partial differential equation by separable method we equate the ratio to constant which?

| A. | Can be positive or negative integer or zero | B. | Can be positive or negative rational number or <br> zero |
| :--- | :--- | :--- | :--- |
| C. | Must be positive integer | D. none of these |  |

261) When solving a 1-dimensional heat equation using a variable separable method we get the solution
A. $k$ is positive
B. $k$ is 0
C. $k$ is negative
D. none of these
262) $f(x, y)=\sin (x y)+x^{2} \ln (y)$. Then $f_{x y}$ at $\left(0, \frac{\pi}{2}\right)$ is
A. 33
B. 0
C. 3
D. none of these
263) $f(x, y)=x^{2}+y^{3} ; x=t^{2}+t^{3} ; y=t^{3}+t^{9}$. Then $\frac{d f}{d t}$ at $t=1$ is
A. 164
B. -164
C. 0
D. none of these
264) DE for $y=A \cos \alpha x+B \sin \alpha x$, where $A$ and $B$ are arbitrary constants is
A. $\frac{d^{2} y}{d x^{2}}+\alpha y=0$
B. $\frac{d^{2} y}{d x^{2}}-\alpha y=0$







| 337)Let $\left\{\mathrm{v}_{1}, \mathrm{v}_{2}, \ldots \mathrm{v}_{\mathrm{n}}\right\}$ generate the vector space $\mathrm{V}(\mathrm{F})$ then for any vector $\mathrm{v} \in V(F)$, the set $\left\{\mathrm{v}_{1}, \mathrm{v}_{2}, \ldots \mathrm{v}_{\mathrm{n}}\right\}$ is $\ldots \ldots$ and generate $\mathrm{V}(\mathrm{F})$. | B |
| :---: | :---: |
| A. Linearly independent ${ }^{\text {B. Linearly dependent }}$ |  |
| C. Basis D. None of these |  |
| 338)The number of elements in the basis of a vector space V(F) is called ........ Vector space of V(F) | C |
| A. Linearly independent B. Basis |  |
| C. Dimension D. None of these |  |
| 339) $\mathrm{V}(\mathrm{R})=\mathrm{C}$ the set of all complex numbers, $\{1, \mathrm{i}\}$ is ...... generate $\mathrm{V}(\mathrm{R}) \operatorname{Dim} \mathrm{V}(\mathrm{R})=2$ | C |
| A. Dimension B. Linearly dependent |  |
| C. Linearly independent D. None of these |  |
| 340)If C(C ) is a vector space over the field of Complex Number ,then the Basis and dimension is | C |
| A. $\operatorname{Dim}(\mathrm{C})=1$, Basis $=2 \quad$ B. $\operatorname{Dim}(\mathrm{C})=2$, Basis $=1$ |  |
| C. $\operatorname{Dim}(\mathrm{C})=1$, Basis $=1 \quad$ D. None of these |  |
| 341)A linearly independent set is always a part of ...... of V(F) | A |
| A. Basis B. Subspace |  |
| C. Vector Space D. None of these |  |
| 342)[f $V=M_{n \times n}(F)$, Let $T: M_{n \times n} \rightarrow M_{n \times n}$ be defined by $T(A)=A^{t}$. $T$ is a | A |
| A. Linear Transformation B. Range of Linear of Transformation |  |
| C. Not a Linear Transformation D. None of these |  |
| 343) $T: R^{2} \rightarrow R^{2}, T(x, y)=(x+2, y+1)$ then $T$ is | C |
| A. Linear Transformation ${ }^{\text {B }}$ B. Range of Linear of Transformation |  |
| C. Not a Linear Transformation D. None of these |  |
| 344)Linear Transformation is called if it is ...... then it is called Monomorphism | A |
| A. One -One B. Onto |  |
| C. One-one and onto D. None of these |  |
| 345)Linear Transformation is called if it is ...... then it is called Isomorphism | C |
| A. One -One B. Onto |  |
| C. One-one and onto D. None of these |  |
| 346) Let $T: V_{1} \rightarrow V_{2}$ be a linear transformation then image of $T$ is defined as $R(T)=\left\{T\left(V_{1} \mid\right) v_{1}\right.$ <br> $\left.\in V_{1}\right\}$ is called | B |
| A. Linear Transformation $\quad$ B. Range of Linear of Transformation |  |
| C. Not a Linear Transformation D. None of these |  |
| 347)Let $V(F)$ be a vector if $\operatorname{dim} n$.then | C |
| A. $V_{n}(F)=F \quad$ B. $V_{n}(F)=F^{n-1}$ |  |
| C. $V_{n}(F)=F^{n}$ D. None of these |  |
| 348) Let $T: V_{1}$ <br> $\rightarrow V_{2}$ be a linear transformation between two vector space $V_{1}(F)$ and $V_{2}(F)$, where $V_{1}(F)$ a have dimension then $T$ is $(1-1)$ iff $T$ is | B |
| A. One -One B. Onto |  |
| C. One-one and onto D. None of these |  |
| 349)Let T: $V_{1} \rightarrow V_{2}$ be a linear transformation Then ker $T$ is subspace of | B |
| A. $V_{2}(F)$ B. $V_{1}(F)$ |  |
| C. $\mathrm{R}(\mathrm{T}) \quad$ D. None of these |  |
| 350)Let $T: V_{1} \rightarrow V_{2}$ be a linear transformation Then $\mathrm{R}(T)$ is subspace of $\ldots .$. Where $\mathrm{R}(\mathrm{T})=\mathrm{Ker}$ of T | A |
| A. $V_{2}(F)$ B. $V_{1}(F)$ |  |
| $\mathrm{C} . \mathrm{R}(\mathrm{T}) \quad$ D. None of these |  |


| 351)Let $T: V_{1} \rightarrow V_{2}$ be a linear transformation Then $\mathrm{T} \ldots \ldots$....is Iff $N(T)=\left\{0_{1}\right\} \ldots$. | A |
| :---: | :---: |
| A. One -One B. Onto |  |
| C. One-one and onto D. None of these |  |
| 352)Let $T: V_{1} \rightarrow V_{2}$ be a linear transformation then | C |
| A. $\quad \operatorname{Dim} V_{1}(F)=\operatorname{Nullity}(T) \quad$ B. $\quad \operatorname{Dim} V_{1}(F)=\operatorname{Nullity}(T)+\operatorname{Range}(T)$ |  |
| C. $\operatorname{Dim} V_{1}(F)=\operatorname{Nullity}(T)+\operatorname{Rank}(T) \quad$ D. None of these |  |
| 353)Let $T: V \rightarrow V$ is $\ldots \ldots .$. Iff $T^{-1}$ exist such that $T T^{-1}=I$ | B |
| $\begin{array}{ll}\text { A. Singular } & \text { B. Non-singular }\end{array}$ |  |
| C. Bijective D. None of these |  |
| 354)Let $T: V \rightarrow V$ be a linear and Dim $V=n$ then $T$ can not more then eigen values | B |
| A. $\mathrm{n}+1$ B. n |  |
| C. $\mathrm{n}-1$ D. None of these |  |
| 355)An $n \times n$ matrix A is $\ldots$. iff A has n real and distinct eigen values | C |
| A. Similar B. Orthogonal |  |
| C. Diagonalizable D. None of these |  |
| 356) Is $G=\{\overline{1}, \overline{2}, \overline{3}, \overline{4}\}$ a group of mod8 | A |
| A. Yes B. No |  |
| C. Basis D. None of these |  |
| 357)An element $a \in G$ is said and congugate to $b \in G$, if there exist an element $g \in G$ s.t. $a=$ $g^{-1} a g$ is called | A |
| A. Conjugate of an element in a group ${ }^{\text {a }}$ B. Self-conjugate of an element in a group |  |
| C. Equivalence Relation D. None of these |  |
| 358)How many conjugate classes are there I symmetric group $S_{3}$ | C |
| A. 1 B. 2 |  |
| C. 3 D. None of these |  |
| 359)Every Group of prime order is a | A |
| A. Cyclic B. Generator |  |
| C. Center of the group D. None of these |  |
| 360) $(Q+)$ is | B |
| A. A cyclic group B. Not cyclic group |  |
| C. Abelian group D. None of these |  |
| 361)A cyclic of length 2 is called | C |
| A. Permutation B. Combination |  |
| C. Transposition D. None of these |  |
| 362)Each permutation can be expressed as product of | B |
| A. Not Cyclic Permutation B. Cyclic Permutation |  |
| C. Transposition D. None of these |  |
| 363)If group is abelian, then what will be $N_{G}(X)$ ? | A |
| $\begin{array}{ll}\text { A. } N_{G}(X)=G & \text { B. } N_{G}(X)=X\end{array}$ |  |
| C. $N_{G}(X)=N \quad$ D. None of these |  |
| 364)Let $\emptyset:(Z,+) \rightarrow(Z,+)$ defined by $\emptyset(n)=2 n \forall n \in Z=$ set of integers is example of | C |
| A. Isomorphism B. Epimorphism |  |
| C. Monomorphism D. None of these |  |
| 365)Let $\emptyset:(Z,+) \rightarrow(G,)=.\{ \pm 1, \pm i\}$ defined by $\emptyset(n)=i^{n} \forall n \in Z=$ set of integers is example of | B |
| A. Isomorphism B. Epimorphism |  |
| C. Monomorphism D. None of these |  |


| 366)Let $\emptyset:(Z,+) \rightarrow(E,+)=$ defined by $\emptyset(n)=2 n \forall n \in Z=$ set of integers and $E=$ Set of even integer is example of | A |
| :---: | :---: |
| A. Isomorphism B. Epimorphism |  |
| C. Monomorphism D. None of these |  |
| 367)Every Characteristic subgroup is a | C |
| A. Subgroup B. Invariant |  |
| C. Normal Subgroup D. None of these |  |
| 368)When are the subgroups of group its normal subgroup? | B |
| A. Left coset $\neq$ Right Coset $\quad$ B. Left coset $=$ Right Coset |  |
| C. Left coset $\times$ Right Coset D. None of these |  |
| 369)If $p$ is prim divisor of a finite group G having order $n$ then $G$ has an element with order $p$ is called | C |
| A. Sylow $2^{\text {nd }}$ Theorem ${ }^{\text {a }}$ B. Lagrange's Theorem |  |
| C. Cauchy $2^{\text {nd }}$ order Theorem D. None of these |  |
| 370)Intersection of two subrings be an | B |
| A. Quotient Set B. Empty Set |  |
| C. Integer Set D. None of these |  |
| 371)Every ideal is a | C |
| A. Maximal B. Ring |  |
| C. Subring D. None of these |  |
| 372) $R=M_{2 \times 2}$ be the ring of $2 \times 2$ matirces, $R=\left(\begin{array}{ll}a & b \\ c & d\end{array}\right), I_{1}=\left(\begin{array}{ll}r_{1} & 0 \\ r_{2} & 0\end{array}\right), r_{1}, r_{2} \in R$ is | B |
| A. Right Ideal B. Left Ideal |  |
| C. Sided ideal D. None of these |  |
| $\left.{ }^{373}\right)_{R}=M_{2 \times 2}$ be the ring of $2 \times 2$ matirces, $R=\left(\begin{array}{ll}a & b \\ c & d\end{array}\right), I_{1}=\left(\begin{array}{cc}r_{1} & r_{2} \\ 0 & 0\end{array}\right), r_{1}, r_{2} \in R$ is | A |
| A. Right Ideal B. Left Ideal |  |
| C. Sided ideal D. None of these |  |
| 374)Irrational number is a | B |
| A. Ring B. Not Ring |  |
| C. Ideal ring D. None of these |  |
| 375)A ring I which the non-zero element form a multiplication group is called | C |
| A. Ring B. Ideal Ring |  |
| C. Division Ring D. None of these |  |
| 376)The dimension of the null space is called | D |
| A. Ring B. Ideal Ring |  |
| C. Division Ring D. None of these |  |
| 377)Subspace of a Discrete space is | C |
| A. Topological Space B. Indiscrete |  |
| C. Discrete D. None of these |  |
| 378)In particular, the open intervals on the real lines are base for the ........topology. | C |
| A. Discrete B. Indiscrete |  |
| C. Usual D. None of these |  |
| 379)Every Compact subsets $R^{n}$ is ... ... | A |
| A. Closed and bounded B. Closed and Continuous |  |
| C. Open and interior D. None of these |  |
| 380)The continouse image of a conected space is | C |
| A. Discrete B. Disconnected |  |

C. Connected
D. None of these

| 381) | Which of the following is the degree of the differential equation $\frac{d^{2} x}{d t^{2}}+2 x^{3}=0$ ? |  |  | C |
| :---: | :---: | :---: | :---: | :---: |
|  | A. | 0 | 1 |  |
|  | C. | 2 | 3 |  |
| 382) | The order and degree of differential equation $\frac{d^{3} x}{d t^{3}}+4 \sqrt{\left(\frac{d y}{d x}\right)^{3}+y^{2}}=0$ are respectively |  |  | A |
|  | A. | 3 and 2 | 2 and 3 |  |
|  | C. | 3 and 3 | 3 and 1 |  |
| 383) | The differential equation $2 \frac{d y}{d x}+x^{2} y=2 x+3$ is |  |  | A |
|  | A. | Linear | Non-Linear |  |
|  | C. | Linear with fixed constants | Undetermined to be linear or non-linear |  |
| 384) | Which of the following is the solution of the differential equation $\frac{d y}{d t}=5 y ; \quad y(0)=2$ |  |  | D |
|  | A. | $y=5 e^{-5 t}$ | $y=2 e^{-10}$ |  |
|  | C. | $y=3 e^{-5 t}$ | $y=2 e^{5 t}$ |  |
| 385) | The order and degree of differential equation $3 \frac{d^{2} y}{d t^{2}}+4\left(\frac{d y}{d x}\right)^{3}+y^{4}=e^{-t}$ are respectively |  |  | A |
|  | A. | 2 and 1 | 1 and 2 |  |
|  | C. | 4 and 3 | 2 and 3 |  |
| 386) | A differential equation is said to be ordinary differential equation if it has |  |  | C |
|  | A. | one dependent variable | More than one dependent variables |  |
|  | C. | one independent variable | More than one dependent variables |  |
| 387) | Which of the following is the trivial solution of a differential equation. |  |  | A |
|  | A. | $y \equiv 0$ | $y \propto 0$ |  |
|  | C. | $y \neq 0$ | $y \approx 0$ |  |
| 388) | The differential equation $x^{2} \frac{d y}{d x}-2 x y=\sin x$ is defined for |  |  | D |
|  | A. | $(0, \infty)$ | $(0,1) \cup(1, \infty)$ |  |
|  | C. | $(-\infty, 0) \cup(1, \infty)$ | $(-\infty, \infty)$ |  |
| 389) | The differential equation $y^{\prime \prime}+\frac{1}{x} y=\frac{1}{x^{2}-4}$ is defined for |  |  | D |
|  | A. | $(0, \infty)$ | $(0,1) \cup(1, \infty)$ |  |
|  | C. | $(-\infty, \infty)$ | All real line except 0,2 and -2 |  |
| 390) | Which of the following is the solution of the differential equation $x^{2} \frac{d^{2} y}{d x^{2}}+x \frac{d y}{d x}-y=0$ |  |  | C |
|  | A. | $y=A x+B$ | $y=A x^{2}+B x$ |  |
|  | C. | $y=A x+\frac{B}{x}$ | $y=\frac{A}{x}+B x$ |  |
| 391) | The solution of a differential equation which is not obtained from the general solution is known as |  |  | B |




| 416) | A differential equation $\frac{d y}{d x}+\frac{2}{x} y=9$ is |  |  |  | A |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Linear | B. | Non-linear |  |
|  |  | Homogenous |  | None of these |  |
| 417) | A differential equation $\frac{d y}{d x}+y=5 x$ is |  |  |  | A |
|  |  | Linear |  | Non-linear |  |
|  |  | Homogenous |  | None of these |  |
| 418) | A differential equation $\frac{d y}{d x}+3 x y=\sin x$ is |  |  |  | A |
|  |  | Linear |  | Non-linear |  |
|  |  | Homogenous |  | None of these |  |
| 419) | A differential equation $\frac{d y}{d x}+3 x y^{2}=\sin x$ is |  |  |  | B |
|  |  | Linear |  | Non-linear |  |
|  | C. | Homogenous |  | None of these |  |
| 420) | What is the solution of a linear differential equation $\frac{d y}{d x}+2 x y=2 e^{-x^{2}}$ with integrating factor $e^{x^{2}}$ ? |  |  |  | D |
|  | A. | $y=(2 x+c) e^{x}$ | B. | $y=\left(x^{2}+c\right) e^{-x^{2}}$ |  |
|  | C. | $y=c e^{-x^{2}}$ |  | $y=(2 x+c) e^{-x^{2}}$ |  |
| 421) | A differential equation $\frac{d x}{d y}+\frac{2}{y} x=10 y^{2}$ is |  |  |  | A |
|  | A. | Linear | B. | Non-linear |  |
|  |  | Homogenous | D. | None of these |  |
| 422) | A differential equation $x \frac{d y}{d x}+y=x y^{3}$ is |  |  |  | B |
|  |  | Linear |  | Bernouli |  |
|  |  | Homogenous |  | None of these |  |
| 423) | A differential equation $\frac{d y}{d x}=\frac{1}{x} y^{2}+\frac{1}{x} y-\frac{2}{x}$ is |  |  |  | D |
|  |  | Linear |  | Bernouli |  |
|  | C. Homogenous |  |  | Riccati |  |
| 424) | Which of the following is the solution of $\frac{e^{y}}{1+e^{y}} d y=\frac{2 x}{1+x^{2}} d x$ |  |  |  | A |
|  | A. | $1+e^{y}=C\left(1+x^{2}\right)$ |  | $y=C\left(1+x^{2}\right)$ |  |
|  | C. | $e^{y}=C\left(1+x^{2}\right)$ |  | None of these |  |
| 425) | The solution of an exact differential equation $\left(3 x^{2}+y \cos x\right) d x+\left(\sin x-4 y^{3}\right) d y=0$ is |  |  |  |  |
|  | A. | $x^{3}+y \sin x-y^{4}=C$ |  | $y \sin x-y^{4}=C$ | A |
|  | C. | $x^{3}+y \sin x-y^{4}=y$ | D. | None of these |  |
| 426) | What should be I.F of a non-exact differential equation $\left(6 x^{2}+4 y^{3}+12 y\right) d x+\left(3 x+3 x y^{2}\right) d y=0$ to be an exact? |  |  |  | D |
|  | A. | $1 / x$ | B. | $e^{x}$ |  |
|  | C. | $x$ | D. | $x^{3}$ |  |
| 427) | What should be I.F of a non-exact differential equation $\left(2 x^{2} y^{2}+e^{x} y\right) d x-\left(e^{x}+y^{3}\right) d y=0$ to be an exact? |  |  |  |  |
|  | A. | 1/y | B. | $y^{2}$ | D |
|  | C. | 1/x | D. | $1 / y^{2}$ |  |


| 428) | What should be I.F of a linear differential equation $\frac{d x}{d y}+\frac{1}{y \ln y} x=\frac{1}{y}$ ? |  |  | B |
| :---: | :---: | :---: | :---: | :---: |
|  | A. | $1 / \mathrm{y}$ | $\ln y$ |  |
|  | C. | $1 / x$ | $1 / y^{2}$ |  |
| 429) | What will be particular solution if general solution of an ODE is $y=\frac{1}{4}+C e^{-x^{4}}$ using $y(0)=1$ ? |  |  | A |
|  | A. | $y=\frac{1}{4}-\frac{5}{4} e^{-x^{4}}$ | $y=\frac{1}{4}+5 e^{-x^{4}}$ |  |
|  | C. | $y=4-5 e^{-x^{4}}$ | None of these |  |
| 430) | Determine the order and degree of the differential equation $2 x \frac{d^{4} y}{d x^{4}}+5 x^{2}\left(\frac{d y}{d x}\right)^{3}-x y=0$. |  |  | A |
|  | A. | Fourth order first degree | Fourth order third degree |  |
|  | C. | First order first degree | Third order fourth degree |  |
| 431) | Which of the following is the exact differential equation? |  |  | C |
|  | A. | $\left(x^{2}+1\right) d x-x y d y=0$ | $x d y+(3 x-2 y) d x=0$ |  |
|  | C. | $2 x y d x+\left(2+x^{2}\right) d y=0$ | $x^{2} y d y-y d x=0$ |  |
| 432) | Which of the following is the variable separable equation? |  |  | C |
|  | A. | $\left(x+x^{2} y\right) d y=\left(2 x+x y^{2}\right) d x$ | $(x+y) d x-2 y d y=0$ |  |
|  | C. | $2 y d x=\left(x^{2}+1\right) d y$ | $y^{2} d x+(2 x-3 y) d y=0$ |  |
| 433) | The equation $y^{2}=c x$ is a general solution of |  |  | D |
|  | A. | $\frac{d y}{d x}=\frac{2 y}{x}$ | $\frac{d y}{d x}=\frac{2 x}{y}$ |  |
|  | C. | $\frac{d y}{d x}=\frac{x}{2 y}$ | $\frac{d y}{d x}=\frac{y}{2 x}$ |  |
| 434) | If $d y=x^{2} d x$ then what is the equation of y in terms of x if the curve passes through $(1,1)$ ? |  |  | B |
|  | A. | $x^{2}-3 y+3=0$ | $x^{3}-3 y+2=0$ |  |
|  | C. | $x^{3}+3 y^{2}+2=0$ | $2 y+x^{3}+2=0$ |  |
| 435) | What is the differential equation of the family of lines passing through origin? |  |  | B |
|  | A. | $y d x-x d y=0$ | $x d y-y d x=0$ |  |
|  | C. | $x d x+y d y=0$ | $y d x+x d y=0$ |  |
| 436) | What is the differential equation of the family of parabolas having their vertices at the origin and their foci on the x -axis? |  |  | A |
|  | A. | $2 x d y-y d x=0$ | $x d y+y d x=0$ |  |
|  | C. | $2 y d x-x d y=0$ | $\frac{d y}{d x}-x=0$ |  |
| 437) | What will be the particular integral of the differential equation $\left(D^{2}+4\right) y=\sin 3 x$ ? |  |  | D |
|  | A. | $\sin 3 x$ | $-\cos 3 x$ |  |
|  | C. | $\frac{-\cos 3 x}{5}$ | $\frac{-\sin 3 x}{5}$ |  |
| 438) | What will be the particular integral of the differential equation $\left(D^{2}+1\right) y=\sin 2 x$ ? |  |  | D |
|  | A. | $\sin 2 x$ | $-\cos 2 x$ |  |
|  | C. | $\frac{-\cos 2 x}{5}$ | $\frac{\sin 2 x}{9}$ |  |
| 439) | What will be the particular integral of the differential equation $\left(D^{2}+2 D+3\right) y=\cos 2 x$ ? |  |  | C |
|  | A. | $\sin 2 x-\cos 2 x$ | $-\cos 2 x+17 \sin 2 x$ |  |



|  | A. | $A \cos x$ | B. | $(A x+B) e^{3 x}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | C. | $\left(A x^{2}+B x+C\right) e^{3 x}$ | D. | None of these |  |
| 454) | What will be form of $y_{p}$ while solving $a_{2} y^{\prime \prime}+a_{1} y^{\prime}+a_{0} y=e^{3 x} \sin 4 x$ by UC method? |  |  |  | C |
|  | A. | $A \cos 4 x e^{3 x}$ | B. | $(A x+B) e^{3 x}$ |  |
|  | C. | $(A \cos 4 x+B \sin 4 x) e^{3 x}$ | D. | None of these |  |
| 455) | What will be form of $y_{p}$ while solving $a_{2} y^{\prime \prime}+a_{1} y^{\prime}+a_{0} y=5 x^{2} \sin 4 x$ by UC method? |  |  |  | C |
|  | A. | $A \cos 4 x e^{3 x}$ | B. | $(A x+B) e^{3 x}$ |  |
|  | C. | $\left(A x^{2}+B x+C\right) \cos 4 x+(C$ | D. | None of these |  |
| 456) | What is $y_{2}$ if $y_{1}=x^{2}$ is a solution of $x^{2} y^{\prime \prime}-3 x y^{\prime}+4 y=0$ ? |  |  |  | B |
|  | A. | $A \cos 4 x e^{3 x}$ | B. | $x^{2} \ln x$ |  |
|  | C. | $4 x^{3}$ | D. | None of these |  |
| 457) | What is $y_{2}$ if $y_{1}=e^{2 x}$ is a solution of $y^{\prime \prime}-4 y^{\prime}+4 y=0$ ? |  |  |  | A |
|  | A. | $x e^{2 x}$ | B. | $x^{2} \ln x$ |  |
|  | C. | $4 x^{3}$ | D. | None of these |  |
| 458) | What is $y_{2}$ if $y_{1}=\cos 4 x$ is a solution of $y^{\prime \prime}+16 y=0$ ? |  |  |  | A |
|  | A. | $\sin 4 x$ | B. | $x^{2} \ln x$ |  |
|  | C. | $4 x^{3}$ | D. | None of these |  |
| 459) | What is $y_{2}$ if $y_{1}=\cosh x$ is a solution of $y^{\prime \prime}-y=0$ ? |  |  |  | C |
|  | A. | $\sin 4 x$ | B. | $x^{2} \ln x$ |  |
|  | C. | $\sinh x$ | D. | None of these |  |
| 460) | What is $y_{2}$ if $y_{1}=\ln x$ is a solution of $x y^{\prime \prime}+y^{\prime}=0$ ? |  |  |  | D |
|  | A. | $\sin 4 x$ | B. | $x^{2} \ln x$ |  |
|  | C. | $\sinh x$ | D. | 1 |  |
| 461) | The partial differential equation $\frac{\partial \mathrm{u}}{\partial \mathrm{t}}+u \frac{\partial \mathrm{u}}{\partial \mathrm{x}}=\frac{\partial^{2} \mathrm{u}}{\partial \mathrm{x}^{2}}$ is a |  |  |  | D |
|  |  | Linear equation of order 2 | B. | Non-linear equation of order 1 |  |
|  | C. | Linear equation of order 1 | D. | Non-linear equation of order 2 |  |
| 462) | The order of the differential equation $\left(\frac{d^{2} y}{d t^{2}}\right)+\left(\frac{d y}{d t}\right)^{3}+y^{4}=e^{-t}$ is |  |  |  | B |
|  |  | 1 |  | 2 |  |
|  |  | 3 | D. | 4 |  |
| 463) | The differential equation $\frac{d^{2} y}{d x^{2}}+16 \mathrm{y}=0$ for $\mathrm{y}(\mathrm{x})$ with two boundary conditions $\frac{d y}{d x}(x=0)=1$ and $\frac{d y}{d x}\left(\mathrm{x}=\frac{\pi}{2}\right)=-1$ has |  |  |  | A |
|  |  | No solution | B. | Exactly one solution |  |
|  | C. | Exactly two solutions | D. | Infinitely many solutions |  |
| 464) A differential equation is considered to be ordinary if it has |  |  |  |  | C |
| 465) | A. | one dependent variable | B. | more than one dependent variable |  |
| 466) | C. | one independent variable | D. | more than one independent variable |  |
| 467) | PDE has independent variable |  |  |  | D |
|  |  | 0 | B. | 1 |  |
|  | C. | Less than 1 | D. | More than 1 |  |
| 468) | In homogeneous first order linear constant coefficient ordinary DE is |  |  |  | C |
|  |  | $\frac{\partial u}{\partial x}=0$ | B. | $c u+x^{2}=0$ |  |
|  |  | $\frac{\partial u}{\partial x}=\mathrm{cu}+x^{2}$ | D. | $\frac{\partial u}{\partial x}=\frac{c}{u}+x^{2}$ |  |
| 469) | The P.D.E $\frac{\partial^{2} U}{\partial x^{2}}+\frac{\partial^{2} U}{\partial y^{2}}=f(x, y)$; is known as |  |  |  | A |





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|  | C. | $y=c_{1} e^{-x}+c_{2} e^{-2 x}+c_{3} e^{-3 x}$ | D. | None of these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 527) | The solution of $\left(D^{3}-D^{2}+D-1\right) y=0$ is |  |  |  | C |
|  | A. | $y=c_{1} e^{-x}+c_{2} e^{-3 x}$ | B. | $y=\left(c_{1}+c^{2} x\right) e^{x}+c_{3} e^{3 x}$ |  |
|  | C. | $y=c_{1} e^{x}+c_{2} \sin x+c_{3} \cos x$ | D. | None of these |  |
| 528) | The solution of ( $\left.D^{2}+D-12\right) y=0$ is |  |  |  | A |
|  | A. | $y=c_{1} e^{3 x}+c_{2} e^{-4 x}$ | B. | $y=c_{1} e^{-4 x}+c_{2} e^{-3 x}$ |  |
|  | C. | $y=c_{1} e^{-x}+c_{2} e^{-2 x}$ | D. | None of these |  |
| 529) | The solution of $\left(D^{2}+4 D+5\right) y=0$ is |  |  |  | C |
|  | A. | $y=c_{1} e^{3 x}+c_{2} e^{-4 x}$ | B. | $y=c_{1} e^{-4 x}+c_{2} e^{-3 x}$ |  |
|  | C. | $y=e^{-2 x}\left(c_{1} \sin x+c_{2} \cos x\right)$ | D. | None of these |  |
| 530) | The solution of $\left(D^{3}-3 D^{2}+4\right) y=0$ is |  |  |  | B |
|  | A. | $y=c_{1} e^{-x}+c_{2} e^{-3 x}$ | B. | $y=\left(c_{1}+c_{2} x\right) e^{2 x}+c_{3} e^{-x}$ |  |
|  | C. | $y=c_{1} e^{-x}+c_{2} e^{-2 x}+c_{3} e^{-3 x}$ | D. | None of these |  |
| 531) | The solution of (9D2 $-12 D+4) y=0$ is |  |  |  | A |
|  | A. | $y=\left(c_{1}+c_{2} x\right) e^{\frac{2}{3} x}$ | B. | $y=\left(c_{1}+c_{2} x\right) e^{2 x}+c_{3} e^{-x}$ |  |
|  | C. | $y=c_{1} e^{-x}+c_{2} e^{-2 x}+c_{3} e^{-3 x}$ | D. | None of these |  |
| 532) | The solution of $\left(D^{3}-4 D^{2}+D+6\right) y=0$ is |  |  |  | C |
|  | A. | $y=\left(c_{1}+c_{2} x\right) e^{\frac{2}{3} x}$ | B. | $y=\left(c_{1}+c_{2} x\right) e^{2 x}+c_{3} e^{-x}$ |  |
|  | C. | $y=c_{1} e^{-x}+c_{2} e^{2 x}+c_{3} e^{3 x}$ | D. | None of these |  |
| 533) | Which of these is the solution of differential equation $\frac{d x}{d t}+3 x=0$ |  |  |  | A |
|  | A. | $2 e^{-3 t}$ | B. | $e^{-3 t}$ |  |
|  | C. | $2 e^{2 t}$ | D. | $e^{-2 t}$ |  |
| 534) | The general solution of $\mathrm{DE} \frac{d y}{d x}=\frac{y}{x}$ is |  |  |  | B |
|  | A. | $\log y=\mathrm{kx}$ |  | $y=k x$ |  |
|  | C. | $\mathrm{y}=\frac{k}{x}$ | D. | $y=k \log x$ |  |
| 535) | Integrating factor of $\mathrm{DE} \cos \frac{d y}{d x}+y \sin x=1$ is |  |  |  | B |
|  | A. | $\sin \mathrm{x}$ | B. | $\sec \mathrm{x}$ |  |
|  | C. | $\tan \mathrm{x}$ | D. | $\cos \mathrm{X}$ |  |
| 536) | If $2 x y d x+P(x, y) d y=0$ is exact then $P(x, y)$ is |  |  |  | D |
|  | A. | $\mathrm{x}-\mathrm{y}$ | B. | $\mathrm{x}+\mathrm{y}$ |  |
|  | C. | $x-y^{2}$ | D. | $x^{2}+y$ |  |
| 537) | A differential equation of first degree |  |  |  | B |
|  | A. | Is of first order | B. | May or may not be linear |  |
|  | C. | Always linear | D. | All are false |  |
| 538) | A general solution of an $\mathrm{n}^{\text {th }}$ order differential equation contains |  |  |  | B |
|  | A. | $\mathrm{n}-1$ arbitrary constants | B. | n arbitrary constants |  |
|  | C. $\mathrm{n}+1$ arbitrary constants |  | D. | no constant |  |
|  |  |  | The order of the differential equation $\frac{\partial^{2} y}{\partial x^{2}}+y^{2}=x+e^{x}$ is |  |  | A |
|  | A. | 2 | B. | 3 |  |  |
|  |  | 0 | D. | 1 |  |  |
| 539) | ''Infinitely many differential equation have the same integrating factor". This statement is |  |  |  | D |  |
|  | A. | Never true | B. | May be true |  |  |
|  | C. | Semi true | D. | Always true |  |  |


C

D
541) The differential equation $\frac{d y}{d x}+P y=Q y^{n}, n \geq 2$ can be reduced to linear form by substituting
A. $\mathrm{z}=\mathrm{y}^{\mathrm{n}-1}$
B. $\mathrm{z}=\mathrm{y}^{\mathrm{n}}$
D. $\quad \mathrm{x}=\mathrm{y}^{1-\mathrm{n}}$
542) The differential equation $\left(y-2 x^{3}\right) d x-x(1-x y) d y=0$ becomes exact on multiplication by

| A. | $\frac{1}{x}$ |
| :--- | :--- |
| C. | $\frac{1}{x^{3}}$ |


| B. | $\frac{1}{x^{2}}$ |
| :--- | :--- |
| D. | $\frac{1}{x^{4}}$ |

543) If the $\mathrm{DE} f(x, y) d x+x \sin y d y=0$ is exact then $f(x, y)$ equals
A. $\cos y$
B. $\quad-\cos (y)+x^{2}$
C. $-\sin y$
D. $\quad \operatorname{Sin}(\mathrm{y})+\mathrm{x}$
544) The differential equation $x \frac{d y}{d x}=x-y$ is
A. Exact
B. Linear
C. Homogeneous
D. All of above
545) The general solution of the equation $x^{\prime}+5 x=3$ is

| B. | $x(t)=3+C \sin 5 t$ |
| :--- | :--- |
| D. | $x(t)=C \cos 3 t$ |


| A. | $x(t)=\frac{3}{5}+e^{-5 t}$ |
| :--- | :--- |
| C. | $x(t)=\frac{3}{5}+C e^{-5 t}$ |

is

| B. | $x(t)=\frac{1}{8}+\frac{1}{2} e^{-6 t}-\frac{5}{8} e^{-8 t}$ |
| :--- | :--- |
| D. | $x(t)=4-e^{-2 t}+3 e^{-8 t}$ |

A. $x(t)=\frac{1}{8}+\frac{1}{2} e^{6 t}-\frac{5}{8} e^{8 t}$
D
C. $x(t)=4-e^{2 t}+3 e^{8 t}$
$-6 y=0$ are
A. $e^{-3 x}$ And $e^{2 x}$
B. $\quad e^{-2 x}$ And $e^{3 x}$
C. $e^{-x}$ And $e^{6 x}$
D. $e^{-6 x}$ And $e^{x}$
548) A particular solution for the differential equation $y^{\prime \prime}+2 y^{\prime}+y=3-2 \sin x$ is
A. $A+B \sin x$
B. $\quad A+B x^{2}+C \cos x+D \sin x$
C. $\quad A+B x \cos x+C x \sin x$
D. $\quad A+B \cos x+C \sin x$
549) The solution of the initial value problem $x^{2} y^{\prime \prime}-x y^{\prime}-3 y=0, y(1)=1, y^{\prime}(1)=-2$ is

| A. | $\frac{5}{4} x^{-1}-\frac{1}{4} x^{3}$ |
| :--- | :--- |
| C. | 5 |

B. $\frac{1}{4} x+\frac{3}{4} x^{-3}$
C. $\frac{5}{4} e^{-x}-\frac{1}{4} e^{3 x}$
D. $\frac{1}{4} e^{x}+\frac{3}{4} e^{-3 x}$
550) The differential equation $x^{\prime \prime}+2 x^{\prime}-5 x=\sin t$ is equivalent to the system
A. $x^{\prime}=y, y^{\prime}=5 x-2 y+\sin t$
B. $x^{\prime}=2 x-5 y, y^{\prime}=\sin t$
C. $x^{\prime}=y, y^{\prime}=2 x-5 y+\sin t$
D. $x^{\prime}=5 x-2 y, y^{\prime}=\sin t$
551) The system of DE $x^{\prime \prime}=-\frac{y}{x^{2}+y^{2}}, y^{\prime \prime}=-\frac{y}{x^{2}+y^{2}}$ is equivalent to a $1^{\text {st }}$ order system consisting of
B. Two equations
A. One equation
D. Four equations
552) The series solution for the $\mathrm{DE} y^{\prime \prime}+x y^{\prime}+y=0$ is of the form $\sum_{n}^{\infty}=0 C_{n} X^{n}$ has recursion relation
A. $\quad C_{n+2}+C_{n+1}+C_{n}=0, n \geq 0$
B. $(c+2) C_{n+2}+C_{n}=0, n \geq 2$
C. $n c_{n+1}-c_{n}=0, n \geq 1$
D. $\quad C_{n}=0, n \geq 3$
553) The differential equation $x y^{\prime \prime}+(x-2) y^{\prime}+y=0$ has a solution of the form
A. $y=x^{2} \sum_{n=0}^{\infty} c_{n} x^{n}, c_{0} \neq 0$
B. $y=x^{1 / 2} \sum_{n=0}^{\infty} c_{n} x^{n}, c_{0} \neq 0$
C. $y=x^{3} \sum_{n=0}^{\infty} c_{n} x^{n}, c_{0} \neq 0$
D. $y=x^{-1} \sum_{n=0}^{\infty} c_{n} x^{n}, c_{0} \neq 0$
554) The solution of the $\mathrm{DE}(2 x-1) y^{\prime}+2 y=0$, can be represented as a power series $\sum_{n}^{\infty}=0 C_{n} X^{n}$ with radius of convergence equal to
A. 0
B. $1 / 2$
C. 1
D. $\infty$

The partial fraction decomposition of $\frac{s+4}{(s-1)^{2}\left(s^{2}+4\right)}$ is


|  | A. | Can be positive or negative integer or zero | B. | Can be positive or negative rational number or zero |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | C. | Must be positive integer | D. | Must be negative integer |  |
| 570) | When solving a 1-dimensional heat equation using a variable separable method we get the solution |  |  |  | C |
|  | A. | k is positive | B. | k is 0 |  |
|  | C. | k is negative | D. | k can be anything |  |
| 571) | $f(x, y)=\sin (x y)+x^{2} \ln (y)$. Find $f_{x y}$ at $\left(0, \frac{\pi}{2}\right)$ |  |  |  | D |
|  | A. | 33 | B. | 0 |  |
|  | C. | 3 | D. | 1 |  |
| 572) | $f(x, y)=x^{2}+y^{3} ; x=t^{2}+t^{3} ; y=t^{3}+t^{9}$ find $\frac{d f}{d t}$ at $\mathrm{t}=1$ |  |  |  | D |
|  | A. |  | B. | 1 |  |
|  | C. | -164 | D. | 164 |  |
| 573) | D.E for $y=A \cos \alpha x+B \sin \alpha x$, where A and B are arbitrary constants is |  |  |  | B |
|  | A. | $\frac{d^{2} y}{d x^{2}}+\alpha y=0$ |  | $\frac{d^{2} y}{d x^{2}}-\alpha y=0$ |  |
|  |  | $\frac{d^{2} y}{d x^{2}}-\alpha^{2} y=0$ |  | $\frac{d^{2} y}{d x^{2}}+\alpha^{2} y=0$ |  |
| 574) | The order of D.E is defined as |  |  |  | B |
|  | A. | The highest degree of the variable | B. | The order of the highest derivative |  |
|  | C. | The power of variable in the solution | D. | None of these |  |
| 575) | A primitive of an ODE is |  |  |  | C |
|  | A. | Its general solution | B. | Its particular solution |  |
|  | C. | Its complementary solution | D. | None of these |  |
| 576) | The solution of a D.E subject to a condition satisfied at one particular point is called |  |  |  | C |
|  | A. | A boundary value problem | B. | A two-point boundary value problem |  |
|  | C. | An initial value problem | D. | A two point initial value problem |  |
| 577) | A general solution of an nth order D.E then |  |  |  | A |
|  | A. | n can be zero | B. | n is any non-negative integer |  |
|  |  | n is any integer | D. | $n$ is any natural number |  |
| 578) | The D.E $\frac{d y}{d x}=\frac{a x+b y+c}{a^{\prime} x+b^{\prime} y+c^{\prime}}$ is |  |  |  | C |
|  |  | Homogeneous | B. | Non-Homogeneous |  |
|  | C. | Non-Linear | D. | None of these |  |
| 579) | The order of D.E where general solution is $C_{1} e^{x}+C_{2} e^{2 x}+C_{3} e^{3 x}+C_{4} e^{4 x}+C_{5}$, where $C_{1}, C_{2}, C_{3}, C_{4}, C_{5}$, are arbitrary constant is |  |  |  | A |
|  | A. |  | B. | 4 |  |
|  | C. | 3 | D. | 7 |  |
| 580) | The particular integral of D.E $\left(D^{2}-a^{2}\right) y-\operatorname{cosax}$ |  |  |  | C |
|  | A. | $-\frac{x}{2 a} \cos a x$ | B. | $\frac{x}{2 a} \operatorname{sinax}$ |  |
|  | C. | $-\frac{x}{2 a} \sin a x$ | D. | None of these |  |
| 581) | The equation $\frac{\partial^{2} u}{\partial x^{2}}+\frac{\partial^{2} u}{\partial y^{2}}=\frac{\partial u}{\partial z}$ where $\mathrm{x}, \mathrm{y}, \mathrm{z}$ are variable is a partial D.E of order and degree |  |  |  | C |
|  | A. |  | B. | 2,2 |  |
|  |  |  | D. | None of these |  |
| 582) | If $f(x)=e^{2 x}, f^{\prime \prime \prime}(x)=$ |  |  |  | C |
|  | A. | $6 e^{2 x}$ | B. | $\frac{e^{2 x}}{6}$ |  |
|  | C. | $8 e^{2 x}$ | D. | none of these |  |
| 583) | $\frac{d}{d x} 5^{x}=$ |  |  |  | B |



|  | C. | $e$ | D. | none of these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 593) | $\frac{d}{d x}\left(\tan ^{-1} x-\cot ^{-1} x\right)=$ |  |  |  | C |
|  | A. | $\frac{2}{\sqrt{1+x^{2}}}$ | B. | $-\frac{2}{1+x^{2}}$ |  |
|  | C. | $\frac{2}{1+x^{2}}$ | D. | none of these |  |
| 594) | If $f\left(\frac{1}{x}\right)=\tan x, f^{\prime}\left(\frac{1}{\pi}\right)=$ |  |  |  | A |
|  | A. | $-\pi^{2}$ | $B$. | 1 |  |
|  | C. | $-\frac{1}{\pi^{2}}$ | D. | none of these |  |
| 595) | If $f\left(\frac{1}{x}\right)=\frac{1}{x}$ Then a critical point of $f$ is |  |  |  | B |
|  | A. | -1 | B. | 0 |  |
|  | C. | 1 | D. | none of these |  |
| 596) | $\int a^{\lambda x} d x=$ |  |  |  | B |
|  |  | $\frac{a^{\lambda x}}{\lambda}$ | B. | $\frac{a^{\lambda x}}{\lambda \ln a}$ |  |
|  | C. | $\frac{a^{2 x}}{\ln a}$ | D. | none of these |  |
| 597) | $\int \frac{f^{\prime}(x)}{f(x)} d x=$ |  |  |  | A |
|  | A. | $\ln \|f(x)\|$ | B. | $f^{\prime}(x)$ |  |
|  | C. | $\ln \left\|f^{\prime}(x)\right\|$ | D. | none of these |  |
| 598) | $\int \frac{1}{\sqrt{x+a}+\sqrt{x}} d x$ can be evaluated if |  |  |  | C |
|  | A. | $x>0, a<0$ | B. | $x<0, a<0$ |  |
|  | C. | $x>0, a>0$ | D. | none of these |  |
| 599) | $\int a^{x^{2}} x d x=$ |  |  |  | B |
|  | A. | $\frac{a^{x^{2}}}{\ln a}$ | B. | $\frac{a^{x^{2}}}{2 \ln a}$ |  |
|  | C. | $a^{x^{2}} \ln a$ | D. | none of these |  |
| 600) | $\int e^{a x}\left[a f(x)+f^{\prime}(x)\right] d x=$ |  |  |  | B |
|  | A. | $e^{a x} f^{\prime}(x)$ | B. | $e^{a x} f(x)$ |  |


|  | C. | $a e^{a x} f^{\prime}(x)$ | D. | none of these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 601) | $\int e^{x}[\sin x+\cos x] d x=$ |  |  |  | C |
|  | A. | $-e^{x} \sin x$ | B. | $e^{x} \cos x$ |  |
|  | C. | $e^{x} \sin x$ |  | none of these |  |
| 602) | $\int_{1}^{2} a^{x} d x=$ |  |  |  | B |
|  | A. | $\left(a^{2}-a\right) \ln a$ | B. | $\frac{\left(a^{2}-a\right)}{\ln a}$ |  |
|  | C. | $\left(a^{2}-a\right) \log a$ | D. | none of these |  |
| 603) | $\int \frac{1}{x \ln x}$ |  |  |  | A |
|  | A. | $\ln (\ln x)+c$ | B. | $\ln x+c$ |  |
|  | C. | $\ln x$ |  | none of these |  |
| 604) | $\int \frac{x+2}{x+1} d x$ |  |  |  | B |
|  | A. | $\ln (x+1)$ | B. | $x+\ln (x+1)$ |  |
|  | C. | $\ln (x+1)-x$ |  | none of these |  |
| 605) | $\int_{0}^{3} \frac{1}{x^{3}+9} d x$ |  |  |  | C |
|  |  | $\frac{\pi}{4}$ | B. | $\frac{\pi}{2}$ |  |
|  |  | $\frac{\pi}{12}$ |  | none of these |  |
| 606) | $\int e^{x}\left[\frac{1}{x}+\ln x\right] d x=$ |  |  |  | A |
|  | A. | $e^{x} \ln x$ | B. | $e^{x} \frac{1}{x}$ |  |
|  | C. | $-e^{x} \frac{1}{x}$ | D. | none of these |  |
| 607) | $\int e^{x}\left[\frac{1}{x}-\frac{1}{x^{2}}\right] d x=$ |  |  |  | A |
|  | A. | $e^{x} \frac{1}{x}$ | B. | $e^{x} \ln x$ |  |
|  | C. | $e^{x} \frac{1}{x^{2}}$ |  | none of these |  |
| 608) | If $x<0, y>0$ then the point $P(-x,-y)$ lies in the quadrant |  |  |  | C |
|  | A. | II | B. | II |  |

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|  | C. |  |  | none of these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 609) | The centroid of a triangle divides each median in the ratio of |  |  |  | B |
|  | A. | 1:2 | B. | 2:1 |  |
|  | C. | 1:1 |  | none of these |  |
| 610) | If $x$ and $y$ have opposite signs then the point $P(x, y)$ lies in the quadrants |  |  |  | A |
|  |  |  | B. | I\&III |  |
|  | C. II\&IV |  |  | none of these |  |
| 611) | The two intercepts form of the equation of a straight line is |  |  |  | C |
|  | A. | $y=m x+c$ | B. | $y-y_{1}=m\left(x-x_{1}\right)$ |  |
|  |  | $\frac{x}{a}+\frac{y}{b}=1$ |  | none of these |  |
| 612) | The slope of the line perpendicular to $a x+b y+c=0$ is |  |  |  | A |
|  |  | $\frac{b}{a}$ |  | - $\frac{a}{b}$ |  |
|  |  | $\frac{a}{b}$ |  | none of these |  |
| 613) | The line $2 x+y+2=0$ and $6 x+3 y-8=0$ are |  |  |  | B |
|  | A. Perpendicular B. |  |  | Parallel |  |
|  | C. Non coplanar D. |  |  | none of these |  |
| 614) | If three lines pass through one common point then the lines are called |  |  |  | C |
|  | A. Parallel |  | B. | Congruent |  |
|  | C. Concurrent D. |  |  | none of these |  |
| 615) | $2 x+y+k=0$ (k being a parameter) represent |  |  |  | B |
|  | A. | Two line | B. | Family of lines |  |
|  | C. | Intersecting lin |  | none of these |  |
| 616) | Equation of vertical line through (-5,3) is |  |  |  | A |
|  | A. | $x+5=0$ | B. | $x-5=0$ |  |
|  | C. | $x+3=0$ | D. | none of these |  |
| 617) | Equation of line through ( $-8,5$ ) and having slope undefined is |  |  |  | C |
|  | A. | $x+8=0$ | B. | $x-5=0$ |  |
|  | C. | $x-8=0$ |  | none of these |  |
| 618) | Two lines $l_{1}$ and $l_{2}$ with the slope $m_{1}$ and $m_{2}$, are perpendicular if |  |  |  | A |
|  | A. | $m_{1} m_{2}=-1$ | B. | $m_{1} m_{2}=1$ |  |
|  | C. | $m_{1} m_{2}=0$ |  | none of these |  |
| 619) | Two lines represented by $a x^{2}+2 h x y+b y^{2}=0$ are real and distinct if |  |  |  | C |
|  | A. | $h^{2}-a b<0$ | B. | $h=0$ |  |
|  | C. | $h^{2}-a b>0$ | D. | none of these |  |

620) Two lines represented by $a x^{2}+2 h x y+b y^{2}=0$ are coincident if
A. $h^{2}-a b=0$
B. $h^{2}-a b<0$
C. $h^{2}-a b>0$
D. none of these
621) The lines $3 y=2 x+5$ and $3 x+2 y-8=0$ intersect at an angle of

| A. | $\frac{\pi}{3}$ |
| :--- | :--- |

B. $\frac{\pi}{2}$
C. Intersect at an angle
D. none of these
622) The perpendicular distance of the line $3 x+4 y+10=0$ from the origin is
A. 0
B. 1
C. 2
D. none of these
623) The lines represented by $a x^{2}+2 h x y+b y^{2}=0$ are orthogonal if
A. $a-b=0$
B. $a+b=0$
C. $\quad a+b>0$
D. none of these
624) The distance of the point $(3,7)$ from the $y$-axis is
A. 3
B. -7
C. -3
D. none of these
625) The equation $9 x^{2}+24 x y+16 y^{2}=0$ represents a pair of lines which are
A. Real and distinct
B. imaginary
C. Real and coincident
D. none of these
626) If a straight line is parallel to x -axis then its slope is
A. -1
B. 0
C. undefined
D. none of these
627) Intercept form of equation of line is

| A. | $\frac{x}{a}+\frac{y}{b}=1$ |
| :--- | :--- |
| C. | $\frac{x}{a}+\frac{y}{b}=0$ |


| B. | $\frac{x}{a}-\frac{y}{b}=0$ |
| :--- | :--- |
| D. | none of these |

628) The perpendicular distance of a line $12 x+5 y=7$ from $(0,0)$ is

| A. | $\frac{1}{13}$ |
| :--- | :--- |
| C. | $\frac{13}{7}$ |


| B. | $\frac{7}{13}$ |
| :--- | :--- |
| D. | none of these |

629) Line passes through the point of intersection of two lines $l_{1}$ and $l_{2}$ is
A. $k_{1} l_{1}=k_{2} l_{2}$
B. $l_{1}+k l_{2}=2$
C. $\quad l_{1}+k l_{2}=0$
D. none of these
630) If $2 x+5 y+k=0$ and $k x+10 y+3=0$ are parallel lines then $k=$

|  | A. | 25 | B. | 2 |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | C. | 3 | D. | none of these |  |
| 631) | The solution of $a x+b y<c$ is |  |  |  | B |
|  | A. | Closed half plane | B. | Open half plane |  |
|  | C. | parabola | D. | none of these |  |
| 632) | The symbols used for inequality are |  |  |  | C |
|  | A. | 1 | B. | 2 |  |
|  | C. | 4 | D. | none of these |  |
| 633) | $a x+b y<c$ is not a linear inequality if |  |  |  | A |
|  | A. | a $a, 0, b=0$ | B. | $a \neq 0, b \neq 0$ |  |
|  | C. | $a=0, b \neq 0$ | D. | none of these |  |
| 634) | $x=0$ is the solution of the inequality |  |  |  | B |
|  | A. | $x<0$ | B. | $2 x+3>0$ |  |
|  | C. | $x+4<0$ | D. | none of these |  |
| 635) | The angle inscribed in a semi-circle is |  |  |  | C |
|  |  | $\frac{\pi}{3}$ | B. | $\pi$ |  |
|  |  | $\frac{\pi}{2}$ | D. | none of these |  |
| 636) | The number of tangents that can be drawn from a point $P\left(x_{1}, y_{1}\right)$ to a circle are |  |  |  | B |
|  | A. | One | B. | Two |  |
|  | C. | More than two | D. | none of these |  |
| 637) | Congruent chords of a circle are equi-distant form the |  |  |  | A |
|  | A. | Center | B. | Origin |  |
|  | C. | Tangent | D. | none of these |  |
| 638) | $x=a \cos t, y=a \sin t$ are the parametric equations of |  |  |  | C |
|  |  | parabola | B. | ellipse |  |
|  | C. | circle | D. | none of these |  |
| 639) | $x=a \sec t, y=b \tan t$ are the parametric equations of |  |  |  | B |
|  |  | parabola | B. | hyperbola |  |
|  | C. | ellipse | D. | none of these |  |
| 640) | The parabola $y^{2}=-12 x$ opens |  |  |  | C |
|  |  | upwards | B. | downwards |  |
|  | C. | leftward | D. | none of these |  |
| 641) | In the case of an ellipse it is always true that |  |  |  | A |
|  | A. | $a^{2}>b^{2}$ | B. | $a^{2}<b^{2}$ |  |
|  | C. | $a^{2}=b^{2}$ | D. | none of these |  |


| 642) | If the associative law holds in a set, the set |  |  |  | B |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | A. | Is a group | B. | May be a group |  |
|  | C. | Is not a group | D. | none of these |  |
| 643) | An example of a group under multiplication is the set of |  |  |  | C |
|  | A. Integers <br> C. $4^{\text {th }}$ roots of unity |  | B. | Whole numbers |  |
|  |  |  | D. | none of these |  |
| 644) | A group |  |  |  | A |
|  | A. Is closed set |  | B. | May not be closed |  |
|  | C. May be an empty set |  | D. | none of these |  |
| 645) | Which one is not true |  |  |  | D |
|  | A. | $Z \subset Q$ | B. | $Q \subset R$ |  |
|  | C. | $R \subset C$ | D. | none of these |  |
| 646) | An example of a vector space is |  |  |  | B |
|  | A. | $Q(R)$ | B. | $R(Q)$ |  |
|  | C. | $Q^{\prime}(Q)$ | D. | none of these |  |
| 647) | A rational number |  |  |  | C |
|  | A. | May not be a real number | B. | Is not a real number |  |
|  | C. | Is a real number | D. | none of these |  |
| 648) | A real number |  |  |  | C |
|  | A. | Is a rational number | B. | Is not an irrational number |  |
|  | C. | May be an irrational number | D. | none of these |  |
| 649) | The set of real numbers is a subset of |  |  |  | C |
|  | A. | $Z$ | B. | $Q$ |  |
|  | C. | C | D. | none of these |  |
| 650) | $[0,1]=$ |  |  |  | D |
|  | A. | [1,2] | B. | [0, $\infty$ [ |  |
|  | C. | ]- $-0,0$ | D. | none of these |  |
| 651) | $a_{n}=\frac{2}{\sqrt{n^{2}+3}}$ is the nth term of a sequence. The sequence $\left(a_{n}\right)_{n=1}^{\infty}$ |  |  |  | A |
|  | A. | Converges | B. | Diverges |  |
|  | C. | May or may not converge | D. | None of these |  |
| 652) | $a_{n}=\frac{\sqrt{n+1}}{n}$ is the nth term of a sequence. The sequence $\left(a_{n}\right)_{n=1}^{\infty}$ |  |  |  | B |
|  | A. | Diverges | B. | Converges |  |
|  | C. | May or may not converge | D. | None of these |  |


| 653) | $a_{n}=\frac{1+(-1)^{n}}{n}$ is the nth term of a sequence. The sequence $\left(a_{n}\right)_{n=1}^{\infty}$ |  |  |  | A |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | A. | converges | B. | diverges |  |
|  | C. | may not converge | D. | None of these |  |
| 654) | $a_{n}=\frac{5^{n}}{(n+1)^{2}}$ is the $n t h$ term of a sequence. The sequence $\left(a_{n}\right)_{n=1}^{\infty}$ |  |  |  | B |
|  | A. | converges | B. | diverges |  |
|  | C. | may not diverge | D. | None of these |  |
| 655) | The series $\sum_{1}^{\infty} \frac{5 n+2}{3 n-1}$ |  |  |  | B |
|  | A. | converges | B. | diverges |  |
|  | C. | may not diverge | D. | None of these |  |
| 656) | The series $\sum_{1}^{\infty} a_{n}$ converges if $\int_{1}^{\infty} f(x) d x$ |  |  |  | B |
|  | A. | Diverges | B. | Converges |  |
|  | C. | May not converges | D. | None of these |  |
| 657) | $\sum_{1}^{\infty} a_{n}$ diverges if $\int_{1}^{\infty} f(x) d x$-------- |  |  |  | A |
|  | A. | Diverges | B. | Converges |  |
|  | C. | May not diverge | D. | None of these |  |
| 658) | $\sum \frac{1}{n^{p}}$ is convergent for ----- |  |  |  | B |
|  | A. | $p<1$ | B. | $p>1$ |  |
|  | C. | $p=1$ | D. | None of these |  |
| 659) | $\sum \frac{1}{n^{p}}$ is divergent for |  |  |  | A |





\begin{tabular}{|c|c|c|c|c|c|}
\hline 681) \& \begin{tabular}{|l|} 
\\
T \\
\\
\hline A. \\
\\
\\
\hline C. \\
\hline
\end{tabular} \& invers of the matrix \(A=\left[\begin{array}{l}1 \\ 2 \\ 1\end{array}\right.\)
\(A^{-1}=\left[\begin{array}{ccc}-1 \& 3 \& -4 \\ \frac{1}{3} \& -1 \& \frac{5}{3} \\ \frac{2}{3} \& -1 \& \frac{4}{3}\end{array}\right]\)
\(A^{-1}=\left[\begin{array}{ccc}-1 \& 3 \& -4 \\ 3 \& -1 \& 2 \\ 2 \& -4 \& 1\end{array}\right]\) \& B. \& \(A^{-1}=\left[\begin{array}{ccc}-1 \& 3 \& -4 \\ 3 \& -1 \& \frac{5}{3} \\ \frac{2}{3} \& -4 \& 9\end{array}\right]\)
None of these \& A \\
\hline 682) \& W \& A 0 of the following is diagon
\(A=\left[\begin{array}{lll}1 \& 0 \& 0 \\ 0 \& 2 \& 6 \\ 0 \& 8 \& 0\end{array}\right]\)

$=\left[\begin{array}{lll}1 & 0 & 1 \\ 0 & 0 & 0 \\ 1 & 0 & 1\end{array}\right]$ \& B. \& $A=\left[\begin{array}{lll}1 & 0 & 0 \\ 0 & 2 & 0 \\ 6 & 8 & 0\end{array}\right]$
None of these \& D <br>
\hline 683) \& \multicolumn{4}{|l|}{If a $m \times n$ matrix $B$ is obtain from a $m \times n$ matrix $A$ by a finite number of elementary row and column operations, then $B$ is said to be $\ldots$ to $A$.} \& B <br>
\hline 684) \& \multicolumn{4}{|l|}{Every nonzero $m \times n$ matrix is equivalent to a $m \times n$ matrix $D=\left[\begin{array}{cc}I_{r} & 0 \\ 0 & 0\end{array}\right]$. Then $D$ is called ... form of $A$.} \& C <br>
\hline 685) \& \multicolumn{4}{|l|}{A system of $m$ linear equations $A x=B$ in $n$ unknowns has a unique solution if and only if $\operatorname{rank}(A)=\operatorname{rank}(B)=$} \& A <br>

\hline 686) \& | If |
| :--- | :--- |
| A. |
| C. | \& $A$ and $B$ be $m \times n$ matrices o

\[
$$
\begin{aligned}
& (a+b) A=a A+b A \\
& a(b A) \neq(a b) A
\end{aligned}
$$

\] \& B. \& | $F$. Then $a(A+B) \neq a A+a B$ |
| :--- |
| None of these | \& A <br>

\hline 687) \& \multicolumn{4}{|l|}{If the matrices $A$ and $B$ are conformable for addition and multiplication, then} \& C <br>
\hline
\end{tabular}







| 728) | $\sum_{k=1}^{n}\left\|x_{k} y_{k}\right\| \leq\left(\sum_{k=1}^{n}\left\|x_{k}\right\|^{2}\right)^{\frac{1}{2}}\left(\sum_{k=1}^{n}\left\|y_{k}\right\|^{2}\right)^{\frac{1}{2}}$, it is called |  |  |  | B |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | A. | Cauchy inequality | $B$. | Cauchy-Schwarz inequality |  |
|  | C. | Minkowski's inequality | D. | None of these |  |
| 729) | Which of the following is a system of nonhomogeneous linear equations? |  |  |  | C |
|  | A. | $\left\lvert\, \begin{aligned} & x_{1}+2 x_{2}=1 \\ & 2 x_{1}+x_{2}=2\end{aligned}\right.$ |  | $x_{1}-6 x_{2}=0$ $6 x_{1}+x_{2}=20$ |  |
|  | C. | $\begin{aligned} & x_{1}+2 x_{2}=0 \\ & 2 x_{1}+x_{2}=0 \end{aligned}$ |  | None of these |  |
| 730) | If $x_{1}-x_{2}+2 x_{3}=0,4 x_{1}+x_{2}+2 x_{3}=1, x_{1}+x_{2}+x_{3}=-1$, then |  |  |  | A |
|  |  | $x_{1}=1, x_{2}=-1, x_{3}=-1$ | B. | $x_{1}=0, x_{2}=1, x_{3}=-1$ |  |
|  |  | $x_{1}=1, x_{2}=1, x_{3}=1$ | D. | None of these |  |
| $\begin{array}{\|l\|} \hline 731) \\ 732) \\ 733) \\ \hline \end{array}$ | The system $A x=0$ of $m$ equations and $n$ unknowns has nontrivial solution if and only if $\operatorname{rank}(A)----\operatorname{rank}\left(A_{b}\right)$. |  |  |  | B |
|  | A. | $=$ | B. | < |  |
|  | C. | > | D. | None of these |  |
| 734) | If $c \neq 2 a-3 b$ then this system of linear equations $2 x_{1}-x_{2}+3 x_{3}=a, 3 x_{1}+x_{2}-5 x_{3}=b$, $-5 x_{1}-5 x_{2}+21 x_{3}=c$ is called |  |  |  | B |
|  |  | is consistent | B. | is inconsistent |  |
|  | C. | A and B both | D. | None of these |  |
| 735) | This matrix $\left[\begin{array}{lll\|l}1 & 2 & 4 & 0 \\ 1 & 1 & 1 & 0 \\ 1 & 2 & 1 & 0 \\ 1 & 3 & 3 & 0\end{array}\right]$ has |  |  |  | B |
|  | A. \|trivial solutions B. nontrivial |  |  |  |  |
|  | C. no solution D |  |  | None of these |  |
| 736) | For any matrix $A$ the collection $\{x: A x=0\}$ is called ----- of $A$ |  |  |  | B |
|  | A. rank |  |  | solution space |  |
|  | C. both A and B |  | D. None of these |  |  |
| 737) | Which of the following is a linear equation in the variables $x, y, \mathrm{z}$ ? |  |  |  | A |
|  | A. | $x-2 y=0$ | $B$. | $x+\cos y=z$ |  |
|  | C. | $\sin x+\cos y+\tan z=0$ | D. | None of these |  |
| 738) | If a system of 2 equations and 2 unknown has no solution, then the graph looks like |  |  |  | B |
|  |  | intersecting lines | B. | non intersecting lines |  |
|  | C. | same lines | D. | None of these |  |
| 739) | In Gauss-Jordan elimination method, we reduce the augmented matrix into |  |  |  | B |
|  |  | Echelon form | B. | Reduced echelon form |  |



|  | C. obeys Newton's law of viscosity | D. | None of these |  |
| :---: | :---: | :---: | :---: | :---: |
| 751) | If the Reynolds number is less than 2000, the flow in a pipe is |  |  | B |
|  | A. Turbulent | B. | Laminar |  |
|  | C. Transition | D. | None of these |  |
| $\begin{aligned} & 752) \\ & 00) \end{aligned}$ | The continuity equation is the result of application of the following law to the flow field |  |  | A |
|  | A. Conservation of mass | B. | Conservation of energy |  |
|  | C. Newton's second law of motion | D. | None of these |  |
| 753) | When a problem states "The velocity of the water flow in a pipe is $20 \mathrm{~m} / \mathrm{s}$ ", which of the following velocities is it talking about? |  |  | B |
|  | A. RMS velocity | B. | Average velocity |  |
|  | C. Relative velocity | D. | None of these |  |
| 754) | Power set topology is ---------- then any other. |  |  | A |
|  | A. finer | B. | coarser |  |
|  | C. weaker topology | D. | None of these |  |
| 755) | Let $\tau_{1} \& \tau_{2}$ are two topologies on $\mathrm{X} \tau_{1} \subseteq \tau_{2}$ then $\tau_{1}$ is said to ------------- |  |  | C |
|  | A. stronger topology | B. | finer topology |  |
|  | C. coarser topology | D. | None of these |  |
| 756) | Let $\tau_{1} \& \tau_{2}$ are two topologies on $\mathrm{X} \tau_{1} \nsubseteq \tau_{2}$ then they are said to be ------------- |  |  | A |
|  | A. In compare able topology | B. | Compare able topology |  |
|  | C. Finer topology | D. | None of these |  |
| 757) | $\tau=\{\varphi, X\}$ be indiscrete topological space $A \subseteq X$ then relative topology on A is -----.101 |  |  | C |
|  | A. $\tau_{A}=\{\varphi, X\}$ | B. | $\tau_{A}=\{X\}$ |  |
|  | C. $\tau_{A}=\{\varphi, A\}$ | D. | None of these |  |
| 758) | 1) $\mathrm{A}=\{\mathrm{a}, \mathrm{b}\} \mathrm{X}=\{\mathrm{a}, \mathrm{b}, \mathrm{c}\}$ and $\tau=\{\varphi,\{b, c\}, X\}$ then $\bar{A}$ is equal to $--\cdots-$ al----- $^{\text {. }}$ |  |  | B |
|  | A. $\{\mathrm{b}\}$ | B. | X |  |
|  | C. $\{a\}$ | D. | None of these |  |
| 759) | 2) Let $(\mathrm{X}, \tau)$ be a topological space and $A \subseteq X$ then A is closed iff |  |  | C |
|  | A. $\overline{\bar{A}}=\bar{A}$ <br> C  | B. | $\overline{\bar{A}}=A$ |  |
|  | C. $A=\bar{A}$ | D. | None of these |  |
| 760) | Interior of A is union of all open set contain in ----------- |  |  | B |
|  | A. $\bar{A}$ | B. | A |  |
|  | C. $A^{d}$ | D. | None of these |  |
| 761) | 3) Let ( $\mathrm{X}, \tau)$ be a topological space and $A \subseteq X$ then A is open iff ----------------. |  |  | A |
|  | A. $A^{\circ}=A$ <br> c.  | B. | $\overline{\bar{A}}=\bar{A}$ |  |
|  | C. $A^{\circ}=\bar{A}$ | D. | None of these |  |
| 762) | Let (X, $\tau$ ) be a topological space Ext A is the largest open set contain in ---------. |  |  | B |
|  | A. X | B. | $\bar{A}$ |  |
|  | C. $A^{\circ}$ | D. | None of these |  |
| 763) | $\operatorname{Int}(\mathrm{X}-\mathrm{A})$ is equal to |  |  | A |
|  | A. X | B. | Int(A) |  |
|  | C. $\operatorname{Ext}(\mathrm{A})$ | D. | None of these |  |





| 795) | The function $f: R^{+} \rightarrow R$ defined by $f(x)=\ln x$ is |  | C |
| :---: | :---: | :---: | :---: |
|  | A. decreasing | B. constant |  |
|  | C. increasing | D. None of these |  |
| 796) | The function $f: R \rightarrow R^{+}$defined by $f(x)=e^{x}$ is |  | A |
|  | A. one to one | B. not one to one |  |
|  | C. decreasing | D. None of these |  |
| 797) | $\int_{0}^{\pi / 4} \theta \sec ^{2} \theta d \theta=$ |  | C |
|  | A. $\frac{\pi}{4}+\frac{1}{2} \ln 2$ | B. $\frac{\pi}{4}+\log 2$ |  |
|  | C. $\frac{\pi}{4}+\frac{1}{2} \ln 2$ | D. None of these |  |
| 798) | The partial differential equations in $p+q=z^{2}$, is ------ |  | A |
|  | A. of order 1 and is linear | B. of order 1 and is not linear |  |
|  | C. of order 2 and is not linear | D. None of these |  |
| 799) | The vertex of the equation $y^{2}=4 a x$ is? |  | C |
|  | A. $(1,1)$ | B. $(2,2)$ |  |
|  | C. $(0,0)$ | D. None of these |  |
| 800) | What is the axis of the parabola $y^{2}=4 a x$ ? |  | B |
|  | A. $\mathrm{x}=0$ | B. $\mathrm{y}=0$ |  |
|  | C. $\mathrm{x}=\mathrm{a}$ | D. None of these |  |
| 801) | If $\sum a_{k}$ diverges then |  | A |
|  | A. $\sum\left\|a_{k}\right\|$ diverges | B. $\sum\left\|a_{k}\right\|$ converges |  |
|  | C. $\sum\left\|a_{k}\right\|$ absolutely converges | D. None of these |  |
| 802) | Which of the following statement is not true? |  | B |
|  | A. Any sequence has a unique limit. | B. The set $S=\{0,1\}$ has exactly two accumulation points. |  |
|  | C. There exist a sequence of rational numbers that has an irrational limit. | D. None of these |  |
| 803) | The continuity equation is the result of application of the following law to the flow field |  | A |
|  | A. Conservation of mass | B. Conservation of energy |  |
|  | C. Newton's second law of motion D. None of these |  |  |
| 804) The series converges absolutely if |  |  | A |
|  | A. $\|\|x\|<1$ B | 3. $\|\|x\|>1$ |  |
|  | C. both A and B D | D. None of these |  |
| 805)The series diverges absolutely if |  |  | B |
|  | A. $\|\|x\|<1$ | 3. $\|\|x\|>1$ |  |
|  | C. both A and B D | D. None of these |  |
|  | If the power series $\sum_{n=0}^{\infty} c_{n} x^{n}$ converges for $x=x_{1}$, then it converges absolutely for all $x$ such that |  | A |
|  | A. $\left\|\|x\|<\left\|x_{1}\right\|\right.$ B | B. $\left\|\|x\|>\left\|x_{1}\right\|\right.$ |  |
|  | C. $\left\|\|x\|=\left\|x_{1}\right\| \quad\right.$ D | D. None of these |  |



A. $\quad T_{1}(u) \neq T_{2}(u)$ for all $u \in U$

| B. | $T_{1}(u)=T_{2}(u)$ for all $u \in U$ |
| :--- | :--- |
| D. | $T_{1}(u)>T_{2}(u)$ for all $u \in U$ |

826) For any field $F, F^{n} \cong F^{m}$ if and only if
A. $n=m$
B. $n \neq m$
C. both $A$ and $B$
D. None of these
827) Two finite dimensional vector spaces $U$ and $V$ over $F$ are isomorphic and $\operatorname{dim} U=5$ then
A. $\operatorname{dim} V=5$
B. $\operatorname{dim} V=4$
C. $\operatorname{dim} V=3$
D. None of these
828)There is no one-one onto linear transformation from
A. $R^{2}$ to $R^{3}$
B. $R^{3}$ to $R^{4}$
C. both A and B
D. None of these
829)The vectors $(1,-2,3),(5,6,-1)$ and $(3,2,1)$ are
A. Linearly independent
B. Linearly dependent
C. Both $A$ and $B$
D. None of these
830)The vectors $(1,2,2,-1),(4,9,9,-4)$ and $(5,8,9,-5)$ are
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of these
828) The polynomials $p_{1}=1-x, p_{2}=5+3 x-2 x^{2}$ and $p_{3}=1+3 x-x^{2}$ are
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of the
832)A finite set that contains 0 is
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of these
833)A set of vectors $\{x, \sin x\}$ is
A. Linearly independent
B. Linearly dependent
C. Both $A$ and $B$
D. None of these
834)A set of vectors $\{\sin 2 x, \sin x \cos x\}$ is
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of these
829) 

For what value(s) of $h$ will $y$ be in the subspace of $R^{3}$ spanned by $v_{1}, v_{2}, v_{3}$ if $v_{1}=\left(\begin{array}{c}1 \\ -1 \\ -2\end{array}\right), v_{2}=$ $\left(\begin{array}{c}5 \\ -4 \\ -7\end{array}\right), v_{3}=\left(\begin{array}{c}-3 \\ 1 \\ 0\end{array}\right)$ and $y=\left(\begin{array}{c}-4 \\ 3 \\ h\end{array}\right)$
A. $h=-5,5$
B. $h=5$
C. $h=-1,0,-1$
D. None of these
836)The set of all solutions of the homogenous equation $A x=0$ is known as
A. Null set
C. Non trivial
B. trivial solution
7) $\operatorname{Null}(A)=\{0\}$ if and only if the equation $A x=0$ has only the
A. $\quad$ Null set
B. trivial solution
C. Non trivial
D. None of these
838) $\operatorname{Null}(A)=\{0\}$ if and only if the linear transformation $x \rightarrow A x$ is

853) If $u_{1}=(3,-1), u_{2}=(4,5)$ and $u_{3}=(-4,7)$ then the set $\left\{u_{1}, u_{2}, u_{3}\right\}$ is
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of these
854) If $p_{1}=3-2 x+x^{2}$ and $p_{2}=6-4 x+2 x^{2}$ then the set $\left\{p_{1}, p_{2}\right\}$ is
855) If $A=\left(\begin{array}{cc}-3 & 4 \\ 2 & 0\end{array}\right)$ and $B=\left(\begin{array}{cc}3 & -4 \\ -2 & 0\end{array}\right)$ in $M_{22}$, then the set $\{A, B\}$ is
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of these
856) The vectors $(3,8,7,-3),(1,5,3,-1),(2,-1,2,6),(4,2,6,4)$ in $R^{4}$ are
A. Linearly independent
B. Linearly dependent
C. Both A and B
D. None of these
857)The Wronskian of $f_{1}=\sin x, f_{2}=\cos x$ and $f_{3}=x \cos x$ is
A. $2 \sin x$
B. $\sin 2 x$
C. zero
D. None of these
858)The Wronskian of $f_{1}=1, f_{2}=x$ and $f_{3}=e^{x}$ is
A. $x e^{x}$
B. $e^{x}$
C. zero
D. None of these
859)The Wronskian of $f_{1}=1, f_{2}=x$ and $f_{3}=x^{2}$ is
A. 2
C. Zero
B. $\quad e^{x}$
D. None of these
860) $_{\text {If }}\left(\lambda,-\frac{1}{2},-\frac{1}{2}\right),\left(-\frac{1}{2}, \lambda,-\frac{1}{2}\right),\left(-\frac{1}{2},-\frac{1}{2}, \lambda\right)$ are linearly independent then

| A. | $\lambda=1,-\frac{1}{2}$ | B. |  | $\lambda=1,-1$ |
| :--- | :--- | :--- | :--- | :--- |
| C. | $\lambda=-\frac{1}{2}$ | D. | None of these |  |

861) The vectors $(-3,7)$ and $(5,5)$ in $R^{2}$ form
A. Basis for $R^{2}$
B. Linearly dependent set
C. Infinite set
D. None of these
862) If $W$ is subspace of a finite dimensional vector space $V$ then $W$ is
A. finite dimensional
B. Infinite dimensional
C. $\quad$ Basis for $V$
D. None of these
863) $v_{3}$ can be added to linearly independent sets $(1,-2,3),(0,5,-3)$ to form basis then

| A. | $v_{3}=(0,0,1)$ |
| :--- | :--- |

B. $\quad v_{3}=(0,0,0)$
C. Both A and B
D. None of these
864) The area of the triangle formed by the tangent and the normal to the parabola $y^{2}=4 a x$ both drawn at the same end of the latus rectum and the axis of the parabola is


879) If the line $x-1=0$ is the directrix of the parabola $y^{2}-k x+8=0$, then one of the values of k is
A. $1 / 8$
B. 8
C. 4
D. $1 / 4$
880) If the point $P(4,-2)$ is one end of the focal chord $P Q$ of the parabola $y^{2}=x$, then the slope of the tangent at $Q$ is
A. $-1 / 4$
B. $1 / 4$
C. 4
D. -4
881) The line $y=m x+c$ intersects the circle $x^{2}+y^{2}=a^{2}$ at the most of $\qquad$
A. 1

| B. | 2 |
| :--- | :--- |
| D. | 4 |

C. 3
882) The eccentricity of an ellipse is
A. $\quad e=1$
B. $\quad e<1$
C. $e>1$
D. $0<e<1$
883) The perpendicular distance from the point (3,-4) to the line $3 x^{2}-4 x+10=0$
A. 7
C. 9

| B. | 8 |
| :--- | :--- |
| D. | 10 |

884) What is the length of latus rectum If the distance between vertex and focus is 3 ?
A. 8
C. 4
B. 12
D. None of these
885) The line perpendicular to the tangent line is called

| B. | secant line |
| :--- | :--- |
| D. | derivative |

886) The point of a parabola which is closest to the focus is the $\qquad$ of the parabola.
887) The center of the circle $4 x^{2}+4 y^{2}-8 x+12 y-25=0$ is ?

| A. | $(2,-3)$ |
| :--- | :--- |
| C. | $(-4,6)$ |


| B. | $(-2,3)$ |
| :--- | :--- |
| D. | $(4,-6)$ |

888) Which point of a parabola is closest to the focus is?
A. directrix
B. vertex
C. eccentricity
D. latus rectum
889) If the distance between vertex and focus is 3 , then the length of latus rectum is?
A. 6
B. 8
C. 10
D. 12
890) The focus of the parabola $y^{2}=-8(x-3)$ is?

| A. | $(0,0)$ |
| :--- | :--- |
| C. | $(0,1)$ |


| B. | $(1,0)$ |
| :--- | :--- |
| D. | $(1,1)$ |

891) If the discriminant of a conic is $h^{2}-a b=0$, then it represents a
A. circle
B. parabola
C. hyperbola
D. ellipse
892) The radius of the circle $4 x^{2}+4 y^{2}-8 x+12 y-25=0$ is?

| A. | $\sqrt{57}$ |
| :--- | :--- |
| C. | $\sqrt{77}$ |


| B. | $\sqrt{67}$ |
| :--- | :--- |
| D. | $\sqrt{87}$ |

893) A line which is perpendicular to base of cone and passes through vertex of cone is called of cone

| A. | rulings | B. | nap |
| :--- | :--- | :--- | :--- |
| C. | vertex | D. | axis |

894) If the cutting plane is parallel to the generator of the cone and cut only one nap is called

| A. | Circle | B. | hyperbola |
| :--- | :--- | :--- | :--- |
| C. | parabola | D. | ellipse |

895) The perpendicular distance from the point (3, -4 ) to the line $3 x-4 y+10=0$
A. 7
B. 8
C. 9
D. 10
896) The locus of the point from which the tangent to the circles $x^{2}+y^{2}-4=0$ and $x^{2}+y^{2}-8 x+15=0$ are equal is given by the equation
A. $8 x+19=0$
B. $8 x-19=0$
C. $4 x-19=0$
D. $4 x+19=0$
897) The number of tangents that can be drawn from $(1,2)$ to $x^{2}+y^{2}=5$ is
A. 0
C. 2

| B. | 1 |
| :--- | :--- |
| D. | More than 2 |

898) The equation of parabola whose focus is $(3,0)$ and directrix is $3 x+4 y=1$ is
A. $16 x^{2}-9 y^{2}-24 x y-144 x+8 y+224=0$
B. $16 x^{2}+9 y^{2}-24 x y-144 x+8 y-224=0$
C. $16 x^{2}+9 y^{2}-24 x y-144 x-8 y+224=0$
D. $16 x^{2}+9 y^{2}-24 x y-144 x+8 y+224=0$
899) The center of the ellipse $(x+y-2)^{2} / 9+(x-y)^{2} / 16=1$ is
A. $(0,0)$
B. $(0,1)$
C.
$(1,0)$
D. $(1,1)$
900) The equation of parabola with vertex at origin the axis is along $x$-axis and passing through the point $(2,3)$ is
A. $y^{2}=9 x$
B. $y^{2}=9 x / 2$
C. $y^{2}=2 x$
D. $y^{2}=2 x / 9$
901) At what point of the parabola $x^{2}=9 y$ is the abscissa three times that of ordinate
A. $(1,1)$
B. $(3,1)$
C. $(-3,1)$
D. $(-3,-3)$
902) A man running a race course notes that the sum of the distances from the two flag posts from him is always 10 meter and the distance between the flag posts is 8 meter. The equation of posts traced by the man is
A. $x^{2} / 9+y^{2} / 5=1$
B. $x^{2} / 9+y 2 / 25=1$

|  | C. | $x^{2} / 5+y^{2} / 9=1$ | D. | $x^{2} / 25+y^{2 / 9}=1$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 903) | In an ellipse, the distance between its foci is 6 and its minor axis is 8 then its eccentricity is |  |  |  | C |
|  | A. | 4/5 | B. | $1 / \sqrt{ } 52$ |  |
|  | C. | 3/5 | D. | 1/2 |  |
| 904) | If the length of the tangent from the origin to the circle centered at $(2,3)$ is 2 then the equation of the circle is |  |  |  | C |
|  | A. | $(x+2)^{2}+(y-3)^{2}=3^{2}$ | B. | $(x-2)^{2}+(y+3)^{2}=3^{2}$ |  |
|  | C. | $(x-2)^{2}+(y-3)^{2}=3^{2}$ | D. | $(x+2)^{2}+(y+3)^{2}=3^{2}$ |  |
| 905) | The parametric representation ( $\left.2+t^{2}, 2 t+1\right)$ represents |  |  |  | A |
|  | A. | a parabola | B. | a hyperbola |  |
|  | C. | an ellipse | D. | a circle |  |
| 906) | If a parabolic reflector is 20 cm in diameter and 5 cm deep then the focus of parabolic reflector is |  |  |  | C |
|  | A. | (0 0) | B. | (0 5) |  |
|  | C. | (50) | D. | (5 5) |  |
| 907) | The parametric coordinate of any point of the parabola $y^{2}=4 a x$ is |  |  |  | C |
|  | A. | (-at $\left.{ }^{2},-2 a t\right)$ | B. | (-at $\left.{ }^{2}, 2 a t\right)$ |  |
|  | C. | $\left(a \sin ^{2} t,-2 a \sin t\right)$ | D. | $(a \sin t,-2 a \sin t)$ |  |
| 908) | The equation of parabola with vertex $(-2,1)$ and focus $(-2,4)$ is |  |  |  | B |
|  | A. | $10 y=x^{2}+4 x+16$ | B. | $12 y=x^{2}+4 x+16$ |  |
|  | C. | $12 y=x^{2}+4 x$ | D. | $12 y=x^{2}+4 x+8$ |  |
| 909) | The equation of a hyperbola with foci on the x -axis is |  |  |  | B |
|  | A. | $x^{2} / a^{2}+y^{2} / b^{2}=1$ | B. | $x^{2} / a^{2}-y^{2} / b^{2}=1$ |  |
|  | C. | $x^{2}+y^{2}=\left(a^{2}+b^{2}\right)$ | D. | $x^{2}-y^{2}=\left(a^{2}+b^{2}\right)$ |  |
| 910) | The line $l x+m y+n=0$ will touches the parabola $y^{2}=4 a x$ if |  |  |  | A |
|  | A. | $l n=a m^{2}$ | B. | $l n=a m$ |  |
|  | C. | $\ln =a^{2} m^{2}$ | D. | $l n=a^{2} m$ |  |



|  | C. | $1200 \mathrm{~cm}^{2}$ | D. | $1021 \mathrm{~cm}^{2}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 918) | If circular metal sheet is 0.65 cm thick and of 50 cm in diameter is melted and recast into cylindrical bar with 8 cm diameter then the length of bar will be |  |  |  | A |
|  | A. | 24.41 cm | B. | 35.41 cm |  |
|  | C. | 40.41 cm | D. | 30.41 cm |  |
| 919) | If a cuboid is 3.2 cm high, 8.9 cm long and 4.7 wide then total surface area is |  |  |  | A |
|  | A. | $170.7 \mathrm{~cm}^{2}$ | B. | $180 \mathrm{~cm}^{2}$ |  |
|  | C. | $205.7 \mathrm{~cm}^{2}$ | D. | $325.8 \mathrm{~cm}^{2}$ |  |
| 920) | By converting the $5.6 \mathrm{~m}^{2}$ into the $\mathrm{cm}^{2}$, the answer will be |  |  |  | B |
|  | A. | $0.0056 \mathrm{~cm}^{2}$ | B. | $5600 \mathrm{~cm}^{2}$ |  |
|  | C. | $56000 \mathrm{~cm}^{2}$ | D. | $560 \mathrm{~cm}^{2}$ |  |
| 921) | A rectangular field is 40 m long and 30 m wide. The perimeter of rectangular field is |  |  |  | D |
|  | A. | $200 \mathrm{~m}^{2}$ | B. | $180 \mathrm{~m}^{2}$ |  |
|  | C. | $160 \mathrm{~m}^{2}$ | D. | $140 \mathrm{~m}^{2}$ |  |
| 922) | By converting the $0.96 \mathrm{~km}^{2}$ into $\mathrm{m}^{2}$ (meter square), the answer will be |  |  |  | B |
|  | A. | 9600m ${ }^{2}$ | B. | 960m ${ }^{2}$ |  |



|  | C. | parallelogram | D. | trapezium |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 928) | If the base of parallelogram is 19 cm and the height is 11 cm then the area of parallelogram is |  |  |  | B |
|  | A. $105 \mathrm{~cm}^{2}$ |  | B. | $209 \mathrm{~cm}^{2}$ |  |
|  | C. | $110^{2}$ | D. | $170 \mathrm{~cm}^{2}$ |  |
| 929) | If the width of rectangle is 10 cm lass than its length and its perimeter is 50 cm then the width of rectangle is |  |  |  | C |
|  | A. | $58 \mathrm{~cm}{ }^{2}$ | B. | $64 \mathrm{~cm}^{2}$ |  |
|  | C. | $15 \mathrm{~cm}^{2}$ | D. | $30 \mathrm{~cm}^{2}$ |  |
| 930) | Converting the $\mathrm{cm}^{2}$ into the $\mathrm{m}^{2}$, the $6.5 \mathrm{~cm}^{2}$ is equal to |  |  |  | A |
|  | A. | $0.00065 \mathrm{~m}^{2}$ | B. | $0.0065 \mathrm{~m}^{2}$ |  |
|  | C. | $0.65 \mathrm{~m}^{2}$ | D. | $65 \mathrm{~m}^{2}$ |  |
| 931) | By converting the $78580 \mathrm{~m}^{2}$ into hectare(ha), the answer will be |  |  |  | B |
|  | A. | 785.80ha | B. | 0.0007858ha |  |
|  | C. | 0.07858ha | D. | 78.580ha |  |
| 932) | If the length of a square field is 12 cm then the perimeter of square will be |  |  |  | A |
|  | A. | $48 \mathrm{~cm}^{2}$ | B. | $24 \mathrm{~cm}^{2}$ |  |


|  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| C. | $36 \mathrm{~cm}^{2}$ | D. | $50 \mathrm{~cm}^{2}$ |  |  |
| 933) | If the area of circle is $112 \mathrm{~m}^{2}$ then the circumference of the circle is |  |  |  |  |
| A. | $27.68 \mathrm{~m}^{2}$ | B. | $37.68 \mathrm{~m}^{2}$ | B |  |
| C. |  |  |  |  |  |


|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | C. | $6080 \mathrm{~mm}^{2}$ |  |  |


|  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | C. | jar |  |  |  |





|  | C. | dot product | D. | multiplication |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 970) | What is the area of the parallelogram which represented by vectors $\mathrm{P}=2 \hat{\imath}+3 \hat{\jmath}$ and $\mathrm{Q} \overrightarrow{ }=\hat{\imath}+4 \hat{\jmath}$ |  |  |  | A |
|  | A. | 5 units | B. | 10 units |  |
|  | C. | 15 units | D. | 20 units |  |
| 971) | If it is not possible to draw any tangent from the point $(1 / 4,1)$ to the parabola $y^{2}=4 \mathrm{x} \cos \theta+\sin ^{2} \theta$, then $\theta$ belongs to |  |  |  | C |
|  | A. | [- $\pi / 2 \pi / 2]$ | B. | $[-\pi / 2 \pi / 2]-\{0\}$ |  |
|  | C. | $(-\pi / 2 \pi / 2)-\{0\}$ | D. | none of these |  |
| 972) |  |  |  |  | B |
|  | The number of focal chord(s) of length $4 / 7$ in the parabola $7 y^{2}=8 x$ is |  |  |  |  |
|  | A. | 1 | B. | zero |  |
|  | C. | infinite | D. | none of these |  |
| 973) | The ends of line segment are $P(1,3)$ and $Q(1,1)$. R is a point on the line segment PQ such that $P R$ : $R Q=1: \lambda$. If R is an interior point of parabola $y^{2}=4 x$, then |  |  |  | A |
|  | A. | $\lambda \in(0,1)$ | B. | $\lambda \in(-3 / 5,1)$ |  |
|  | C. | $\lambda \in(1 / 2,3 / 5)$ | D. | none of these |  |
| 974) | A set of parallel chords of the parabola $y^{2}=4 a x$ have their mid points on |  |  |  | C |
|  | A. | any straight line through the vertex | B. | any straight line through the focus |  |
|  | C. | a straight line parallel to the axis | D. | another parabola |  |
| 975) | The equation of the line of the shortest distance between the parabola $\mathrm{y}^{2}=4 \mathrm{x}$ and the circle $x^{2}+y^{2}-$ $4 x-2 y+4=0$ is |  |  |  | A |
|  | A. | $x+y=3$ | B. | $x-y=3$ |  |


|  | C. | $2 x+y=5$ | D. | none of these |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 976) | If normals are drawn from the extremities of the latus rectum of a parabola then normals are |  |  |  | B |
|  | A. | parallel to each other | B. | perpendicular to each other |  |
|  | C. | intersect at the 450 | D. | none of these |  |
| 977) | The triangle formed by the tangent to the parabola $y=x^{2}$ at the point whose abscissa is $k$ where $k \in[1$, 2] the $y$-axis and the straight line $y=k^{2}$ has greatest area if $k$ is equal to |  |  |  | C |
|  | A. | 1 | B. | 3 |  |
|  | C. | 2 | D. | none of these |  |
| 978) | A parabola $y^{2}=4 a x$ and $x^{2}=4 b y$ intersect at two points. A circle is passed through one of the intersection point of these parabola and touch the directrix of first parabola then the locus of the centre of the circle is |  |  |  | D |
|  | A. | straight line | B. | ellipse |  |
|  | C. | circle | D. | parabola |  |
| 979) | A circle with centre lying on the focus of the parabola $y^{2}=2 p x$ such that it touches the directrix of the parabola. Then a point of intersection of the circle and the parabola is |  |  |  | A |
|  | A. | (p/2, p) | B. | (p/2, 2p) |  |
|  | C. | (-p/2, p) | D. | (-p/2, -p) |  |
| 980) | The point (1,2) is one extremity of focal chord of parabola $y^{2}=4 x$. The length of this focal chord is |  |  |  | B |
|  | A. | 2 | B. | 4 |  |
|  | C. | 6 | D. | none of these |  |
| 981) | If AFB is a focal chord of the parabola $\mathrm{y}^{2}=4 \mathrm{ax}$ and $\mathrm{AF}=4, \mathrm{FB}=5$, then the latus-rectum of the parabola is equal to |  |  |  | A |



| 988) | The set of complex numbers is |  |  |  | C |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | A. | Not a group under ' + ' | B. | Not a group under '+' |  |
|  | C. | Is a filed | D. | none of these |  |
| 989) | Which one is not a filed |  |  |  | A |
|  | A. | Z | B. | $Q$ |  |
|  | C. | $R$ | D. | none of these |  |
| 990) | The set $\{1,-1, i,-i\}$ |  |  |  | B |
|  | A. | Not a group | B. | Is a cyclic group |  |
|  | C. | In not abelian group | D. | none of these |  |
| 991) | Which one is a semi group |  |  |  | B |
|  | A. | $P$ under ' + ' | B. | $N$ under ' + ' |  |
|  | C. | $P$ under ' ${ }^{\prime}$ ' | D. | none of these |  |
| 992) | Over the field of real numbers, |  |  |  | D |
|  | A. | $Z$ is a vector space | B. | $N$ is a vector space |  |
|  | C. | $E$ is a vector space | D. | none of these |  |
| 993) | A group (G,*) |  |  |  | C |
|  | A. | Is not closed under '*' | B. | May not be closed under '*' |  |
|  | C. | Is closed under '*' | D. | none of these |  |
| 994) | The set $G$ is a group under ' + ' for |  |  |  | C |
|  | A. | $G=N$ | B. | $G=W$ |  |
|  | C. | $G=Z$ | D. | none of these |  |
| 995) | A set which is a group under '+', |  |  |  | B |
|  | A. | is a group under "." | B. | is not a group under "." |  |
|  | C. | May not be a group under "." | D. | none of these |  |
| 996) | A cyclic group |  |  |  | C |



